1. Goals

Kids are fascinated by secret writing and more importantly excited by breaking those codes. The process of breaking the codes involves complex pattern matching and teaches kids skills which are critical to software development and science in general.

- Seeing patterns
- Frequency Analysis
- Quick guessing and trusting instinct
- Backtracking to correct errors

More importantly the process of solving ciphers in a fun style gets the kids addicted to ciphers in general.

2. Overview of Cipher Usages

Cipher map per year based on experiences from previous years.

		2018-2019	2019	-2020	2020	-2021	2021	-2022	2022-	·2023
			Reg.	State	Reg.	State	Reg.	State	Reg.	State
Cipher	Туре			Nat		Nat		Nat		Nat
Dancing Men	Monoalphabetic Symbol	D								
AtBash	Monoalphabetic		E	D						
RSA	Numeric Math		\succ	IM	\ge					
Running Key	Polyalphabetic		$\left \right>$	ED						
Caesar	Monoalphabetic	D	E	D	1	D	I)	D	D
Aristocrat	Monoalphabetic	DC	D	C	D	C	D	С	D	С
Aristocrat Misspelled	Monoalphabetic	DC	D	C	D	C	D	С	D	С
Patristocrat	Monoalphabetic	DC	D	C	D	C	D	С	D	С
	Monoalphabetic	DC (0 or 1)	DC (0 or 1)	DC (1+)	DC (0 or 1)	DC (1+)	DC (0 or 1)	DC (2+)	DC (0 or 1)	DC (2 +)
	Language	. ,		· /		(1+)		· · /		· /
	Polyalphabetic Math	ED	\langle	EDM	\triangleleft		\triangleleft	EDM	\langle	EDM
	Polyalphabetic Math	D	\succ	ED	\succ		\succ	ED	\succ	ED
	Monoalphabetic Math	EDC	ED	EDC	ED	EDC	ED	EDC	ED	EDC
Vigenère	Polyalphabetic	ED	ED	EDC	ED	EDC	ED	EDC	ED	EDC
Baconian	Steganography		(2	•	С	(2	(2
Morbit	Tomogrammic				D	DC	D	DC	D	DC
Pollux	Tomogrammic				D	DC	D	DC	D	DC
Fractionated Morse	Tomogrammic								Ι)
Porta	Polyalphabetic						D	D	D	D
Railfence	Transposition						D	С	D	С
Cryptarithm									D	М

Key:

D – Decode (Cipher Text given with or without a hint)

E – Encode (Plain Text given with an encoding key)

C – Cryptanalysis (Cipher Text given with some corresponding Plain Text)

M – Mathematical computation

I – Identification of components

3. Cipher Descriptions

3.a. Dancing Men [Monoalphabetic Symbol]

A symbol-based cipher associated with a Sherlock Holmes book – *The Adventure of the Dancing Men* written by Sir Arthur Conan Doyle. If a student memorizes the symbols, this can be easily sight-read. We include an unlabeled set of the symbols in the reference guide of the test. Υ

References:

- https://en.wikipedia.org/wiki/The_Adventure_of_the_Dancing_Men
- <u>https://www.dcode.fr/dancing-men-cipher</u>
- <u>https://www.omniglot.com/conscripts/dancingmen.htm</u>
- https://twitter.com/NCSO_cb/status/846766212407345152

3.b. PigPen/Masonic [Monoalphabetic Symbol]

The PigPen cipher is believed to have originated with the Hebrew Rabbis, but its biggest claim to fame is that it was used by the Knights Templar during the Christian Crusades. It was also heavily used by the Freemasons for keeping their records. As a result, it is also known as the Masonic or Freemason's cipher. This is a trivial cipher for students to encode or decode and the table is easily constructed from a couple of tic-tac-toe grids and Xs.

References:

- https://en.wikipedia.org/wiki/Pigpen_cipher
- <u>https://www.dcode.fr/pigpen-cipher</u>
- <u>https://derekbruff.org/blogs/fywscrypto/historical-crypto/prying-open-the-pigpen-cipher/</u>
- http://www.civilwarsignals.org/cipher/pigpencipher.html

3.c. Tap Code [Monoalphabetic]

Also known as a knock code, the Tap Code Cipher was commonly used by prisoners of war in order to communicate with one another using pairs of up to 5 knocks to select a character from a 5x5 alphabet block (both C and K share the same spot). It only requires memorizing the letters AFLQV and then counting the knocks in the first set to advance along them and then count the knocks in the second set to figure out how much to advance the letter.

References:

- <u>https://en.wikipedia.org/wiki/Tap_code</u>
- <u>https://www.dcode.fr/tap-cipher</u>
- <u>https://www.boxentriq.com/code-breaking/tap-code</u>
- <u>https://www.braingle.com/brainteasers/codes/tapcode.php</u>

3.d. AtBash [Monoalphabetic]

An alphabet-based cipher originally used to encrypt the Hebrew Alphabet. It is easily adapted to other alphabets as it is simply all the letters reversed. This is a trivial cipher for students to encode or decode. One interesting property of this cipher is that by encoding text twice produces the original text. The AtBash cipher is used for <u>Geocaching</u>.

References:

Div A Div B



Div A

<mark>Div A</mark>

- <u>https://en.wikipedia.org/wiki/Atbash</u>
- <u>https://www.dcode.fr/atbash-mirror-cipher</u>
- <u>http://practicalcryptography.com/ciphers/atbash-cipher-cipher/</u>
- <u>http://rumkin.com/tools/cipher/atbash.php</u>

3.e. RSA [Numeric math] (NO LONGER USED IN CODEBUSTERS -- MOVED TO CYBER SECURITY)

Algorithm used by modern computers to encrypt and decrypt messages. Relies on a private key for security and is based on finding factors of large composite numbers. Because the real algorithm requires numbers which cannot be computed on a calculator, we must do a very simplified one using two to four-digit primes. As such we can only have students find a single number and not text but are considering a simple chunking of a few characters.

References:

- <u>https://en.wikipedia.org/wiki/RSA_(cryptosystem)</u>
- <u>https://simple.wikipedia.org/wiki/RSA_algorithm</u>
- <u>https://www.dcode.fr/rsa-cipher</u>

3.f. Caesar [Monoalphabetic]

One of the earliest known and simplest cipher. Originally attributed to Caesar for his private correspondence. The ROT13 version (with a shift of 13) is in common use for computer software and online forums as a means of hiding spoilers. ROT13 is a reversable cipher such that applying it twice results in the original text (like the AtBash cipher). The Caesar cipher is also the basis for the Vigenère and Running Key ciphers. Both ROT13 and the general Caesar cipher are used for <u>Geocaching</u>.

References:

- <u>https://en.wikipedia.org/wiki/Caesar_cipher</u>
- <u>https://en.wikipedia.org/wiki/ROT13</u>
- <u>http://practicalcryptography.com/ciphers/caesar-cipher/</u>
- <u>https://www.dcode.fr/caesar-cipher</u>
- <u>https://www.dcode.fr/rot-13-cipher</u>
- <u>https://learncryptography.com/classical-encryption/caesar-cipher</u>

3.g. Aristocrat [Monoalphabetic]

Most commonly seen in newspapers as Cryptoquotes, an Aristocrat is the standard substitution cipher with the restriction that no letter maps to itself. This mapping of the alphabet can be random or in order to simplify the solving, could use a K1 (keyword in the plaintext alphabet), K2 (keyword in the Ciphertext alphabet), K3 (Keyword in alphabet, but plaintext/ciphertext is shifted) or K4 (different keywords in the plaintext and ciphertext alphabets).

References:

- <u>https://en.wikibooks.org/wiki/Cryptography/Substitution_cipher</u>
- <u>https://youngtyros.com/2018/06/04/aristocrat-substitution-cipher/</u>
- <u>https://entertainment.howstuffworks.com/puzzles/cryptoquote-puzzles.htm</u>
- <u>https://cryptograms.puzzlebaron.com/tutorial.php</u>
- <u>http://rossinglish.blogspot.com/p/aristocrat.html</u>
- <u>https://toebes.com/Ciphers/Solving%20a%20K1%20Alphabet.htm</u>
- <u>http://www.cryptogram.org/resources/samples/Solving%20Sample%20A-1.pdf</u>

Div A Div B Div C

Div A Div B

3.h. Aristocrat Misspelled [Monoalphabetic]

Using the same mechanism, the words can be misspelled, or homonyms substituted. This increases the difficulty.

References:

(See the Aristocrat section)

3.i. Patristocrat [Monoalphabetic]

The same rules as for Aristocrats applies here except that all spaces and punctuation is removed and only the letters are kept, separating them into groups for convenience. The most common grouping is 5 and has been adopted by the ACA as a standard.

References:

- https://sites.google.com/site/bionspot/aristocrat-patristocrat-page ٠
- https://codepenguincom.wordpress.com/tag/patristocrat/

Xenocrypt [Monoalphabetic Language] 3.j.

Identical to Aristocrats, except the language of the plaintext is other than English. Although it is one of the lower attempted items, it often ends up being a differentiator and serves to bring in additional people with different skills to the team.

References:

https://toebes.com/Ciphers/Samples/Code Busters 2018 Sample 9 Xenocrypt Solution.pdf •

3.k. Hill 2x2 [Polyalphabetic math]

The Hill cipher was invented by Lester S. Hill in 1929 which is based on linear algebra. It requires basic knowledge of matrix math to encode or decode. Given the encoding matrix, it is possible to determine the decryption matrix for a 2x2 Hill cipher. The process of encoding and decoding uses identical math taking the numeric equivalent of letters two at a time. This has an appeal to the math-oriented students.

References:

- https://en.wikipedia.org/wiki/Hill_cipher •
- http://practicalcryptography.com/ciphers/hill-cipher/ •
- https://www.geeksforgeeks.org/hill-cipher/ •
- https://crvpto.interactive-maths.com/hill-cipher.html •
- https://www.dcode.fr/hill-cipher •
- https://massey.limfinity.com/207/hillcipher.pdf •

3.1. Hill 3x3 [Polyalphabetic math]

The 3x3 version of the Hill cipher uses the numeric equivalent of letters as triplets. The process of encoding and decoded is also identical to the 2x2 version. However, for a 3x3 the math for determining the decryption matrix from the encoding matrix is significantly more complex and probably beyond what we would expect to use at the event, so we provide the decryption matrix for decoding 3x3.

References:





Div B Div C

Div C



- (See the Hill 2x2 references)
- <u>https://www.dcode.fr/hill-cipher</u>

3.m. Affine [Monoalphabetic math]

The Affine cipher is a monoalphabetic substitution cipher where the mapping of letters is controlled by a function (ax + b) mod m where *a* and *b* are the keys of the cipher and *m* is the size of the alphabet. Typically, we use *m*=26 in order to overlap with the tables used for the Hill ciphers, but a value of 27 (with space for 27) leads to more interesting math. If a = 1 then the Affine becomes a Caesar cipher with *b* indicating the shift value. If a = 25 and b = 25 then the Affine produces the AtBash cipher. The Affine cipher is used for <u>Geocaching</u>.

References:

- <u>https://en.wikipedia.org/wiki/Affine_cipher</u>
- <u>http://practicalcryptography.com/ciphers/affine-cipher/</u>
- <u>https://crypto.interactive-maths.com/affine-cipher.html</u>
- <u>https://www.dcode.fr/affine-cipher</u>
- <u>https://www.geeksforgeeks.org/implementation-affine-cipher/</u>

3.n. Vigenère [Polyalphabetic] (Also known as the autokey cipher)

The Vigenère cipher is basically a collection of Caesar ciphers based on the letters of a repeated keyword. It was invented in 1553 and resisted all attempts to break it until 1863. It was also used during the American Civil War. The Vigenère cipher is used for <u>Geocaching</u>.

References:

- https://en.wikipedia.org/wiki/Vigenère cipher
- <u>https://www.geeksforgeeks.org/vigenere-cipher/</u>
- <u>http://crypto.interactive-maths.com/vigenegravere-cipher.html</u>
- https://cryptii.com/pipes/vigenere-cipher
- <u>https://www.dcode.fr/vigenere-cipher</u>
- <u>https://en.wikipedia.org/wiki/Autokey_cipher</u>
- <u>http://practicalcryptography.com/ciphers/autokey-cipher/</u>

3.o. Porta [Polyalphabetic]

The Porta cipher is a predecessor to the Vigenère cipher with only thirteen possibilities. It was invented by Giovanni Battista della Porta in 1563 and has the distinction of being the first cipher ever devised using a variable literal key.

References:

- <u>https://en.wikipedia.org/wiki/Giovan Battista Bellaso</u>
- https://www.cryptogram.org/downloads/aca.info/ciphers/Porta.pdf
- <u>http://practicalcryptography.com/ciphers/porta-cipher/</u>
- <u>https://toebes.com/Flynns/Flynns-19260220.htm</u>
- <u>https://www.historyofinforMion.com/detail.php?entryid=3137</u>
- <u>https://www.dcode.fr/porta-cipher</u>

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Div A

3.p. Running Key [Polyalphabetic] NO LONGER USED

The Running Key cipher can be simply described as a version of Vigenère cipher except that the key is longer than the cipher. Typically, the plain text is encrypted against a well-known book starting at an agreed upon passage. It is considerably more secure than the Vigenère cipher but can still be cracked. It doesn't appear to have any modern-day usage.

References:

- <u>https://en.wikipedia.org/wiki/Running_key_cipher</u>
- <u>http://practicalcryptography.com/ciphers/running-key-cipher/</u>
- https://www.aclweb.org/anthology/P12-2016
- <u>https://crypto.interactive-maths.com/other-examples.html</u>
- <u>http://www.crypto-it.net/eng/simple/running-key.html?tab=0</u>

3.q. Baconian [Steganography]

Initially devised by Francis Bacon in 1605, it is unlike the other ciphers in that it works to conceal the message in the text presentation rather than the content. There are many representations including alternate visual representations (i.e., bold characters), sets of symbols, and the word Baconian which look like headlines. The Baconian cipher is used for <u>Geocaching</u>.

References:

- https://en.wikipedia.org/wiki/Bacon's_cipher
- <u>http://rumkin.com/tools/cipher/baconian.php</u>
- <u>https://mothereff.in/bacon</u>
- http://practicalcryptography.com/ciphers/baconian-cipher/
- https://www.geeksforgeeks.org/baconian-cipher/
- https://toebes.com/Flynns/Flynns-19250425.htm
- <u>https://www.dcode.fr/bacon-cipher</u>

3.r. Morbit [Tomogrammic]

The name nominally comes from **MOR**se **B**inary dig**IT** as a binary representation of Morse Code. Created by converting the plain text to Morse Code and then taking the Morse code pieces in pairs, encoding them at a single character. There are several variants, the most common being 9 digits which stand for all possible combinations of - and space (typically represented by **x**). In general, because Morse code is longer than the equivalent characters, a Morbit encoded cipher text will be longer (approximately 50%) than the corresponding plain text. There are some theories that Kryptos (https://en.wikipedia.org/wiki/Kryptos) uses Morbit for the still undeciphered K4. The Morbit cipher is used for <u>Geocaching</u>.

References:

- <u>http://www.cryptogram.org/downloads/aca.info/ciphers/Morbit.pdf</u>
- <u>http://acaencodedecode.appspot.com/cipher_forms/morbit.html</u>
- <u>https://www.dcode.fr/morbit-cipher</u>
- http://members.aon.at/cipherclerk/Doc/Morse.html
- https://web.itu.edu.tr/~orssi/dersler/cryptography/Chap2-1.pdf

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3.s. Pollux [Tomogrammic]

The Pollux cipher is like the Morbit cipher, except that the Morse pieces are taken off a single digit at a time. Typically, more than one character is assigned to stand for -. and space (typically represented by **x**). Because of the Morse encoding, a Pollux encoded cipher text will be significantly longer than the corresponding plain text (approximately 2-3 times the size). The Pollux cipher is used for Geocaching.

References:

- http://www.cryptogram.org/downloads/aca.info/ciphers/Pollux.pdf •
- https://asecuritysite.com/coding/pollux .
- https://sites.google.com/site/geocachinghelppuzzle/home/ciphers/appearance •
- http://members.aon.at/cipherclerk/Doc/Morse.html •
- https://www.dcode.fr/pollux-cipher

3.t. Fractionated Morse [Tomogrammic]

The Fractionated Morse is a combination of the Morbit/Pollux ciphers but using a K1/K2 type alphabet for the mapping where a single cipher letter stands for three Morse pieces. It was invented by ACA member FIDDLE in 1960. The letters in the keyword alphabet are mapped against a defined set of patterns with the first letter mapping to ... and the last letter (very often the letter Z if it isn't in the keyword) mapping to **xx**-. Note that since there are only 26 letters in the alphabet, there is no mapping to **XXX**.

References:

- https://www.cryptogram.org/downloads/aca.info/ciphers/FractionatedMorse.pdf •
- http://practicalcryptography.com/ciphers/classical-era/fractionated-morse/ •
- https://www.dcode.fr/fractionated-morse •
- https://sites.google.com/site/cryptocrackprogram/user-guide/cipher-types/substitution/fractionated-• morse

3.u. Railfence [Transposition] (Also called a zigzag cipher)

The Railfence cipher works not by substituting letters, but by changing the order of the letters by putting them into a pattern and then reading them out in a different order.

References:

- https://www.cryptogram.org/downloads/aca.info/ciphers/Railfence.pdf
- https://en.wikipedia.org/wiki/Rail fence cipher •
- https://www.dcode.fr/rail-fence-cipher •
- https://crypto.interactive-maths.com/rail-fence-cipher.html •
- http://rumkin.com/tools/cipher/railfence.php

Cryptarithm [math] 3.v.

Cryptarithms are a great cross between ciphers and mathematics. In them mathematical formulas with letters taking the place of their corresponding numbers are given to solve. The answer is driven from sorting the mappings of the letters. The actual origin of Cryptarithms is not quite known as they have been seen as far back as 1864. Although Cryptarithms can be done in any base, for Science Olympiad we will be sticking to Base 10 which means that any problem with have 10 unique letters.

References:





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Div C

Div B

Div B Div C

- <u>https://en.wikipedia.org/wiki/Verbal_arithmetic</u>
- https://www.futurelearn.com/info/courses/recreational-math/0/steps/43523
- <u>https://nrich.maths.org/cryptarithms</u>
- <u>https://www.dcode.fr/cryptarithm-solver</u>
- <u>http://www.arml2.com/arml_2017/public_power_contest/contest_archive/Fall_2016/ARMLPower_Fall_2016 reading.pdf</u>

4. Caesar

With a Caesar cipher, there are three strategies depending on the Cipher Text. Fortunately, you can use the Vigenère table to do this lookup.

- 1. If you have a single letter word, it is likely to be either A or I, so determine the offset from the letter in the Cipher text and use that mapping to evaluate any other word in the cipher. If it reads correctly, then you can proceed to decode the remainder of the text.
- 2. If there is a double letter word, a simple trick is to test it quickly which requires looking up only eight characters: Six letters mapping the beginning (A B I M O U) and two letters at the end (O E). The letters are for the beginning and for the end. The starting letters Match against As/At/An/Am, Be/By, In/It/Is/If, Me/My, Of/Or/On, and Up/Us. The ending letters Match against dO/gO/nO/sO/tO and hE/wE. First look up the match for the starting letters against ABIMOU and see what the secondary letter would make the word be. Do the same for the two ending letters (OE) and see what the corresponding starting letter would be. With whatever offset produces the most logical words, test another word and make sure it makes sense. If it reads correctly then proceed to decode the remainder of the text.
- 3. In the case where there are no single or double letter words, it is necessary to brute force doing the lookup. Start with the second row of the table and go through the alphabet decoding characters one at a time until a word makes sense. An alternate way to do it is to write the cipher text on the page and then write the subsequent letters one below another one column at a time until you see a word make sense. For example, starting with RIK you could do:

RIK SJL TKM ULN VMO WNP XOQ YPR ZQS ART

To see that the word is ART and the offset is 9.

5. Aristocrat



5.a. General Solving Rules

In general, the strategy for an Aristocrat is: Fill in letters from any clues you are given Look for single letter words which will generally be **A** or **I** Check the frequency. The most common letters in English are **ETAOIN**. Look for contractions (**DON'T**, **DOESN'T**) Look for two and three letter words Look for patterns "**IT IS**" and "**THAT**" are good ones Look for double letters

A much more detailed guide can be found on Puzzle Baron's Cryptograms site at <u>https://cryptograms.puzzlebaron.com/tutorial.php</u>

5.b. Solving with a K1 Alphabet

Sometimes an Aristocrat or Patristocrat will be encoded with a K1 alphabet instead of a random alphabet. This can make it much easier to solve once you have identified a few letters.

To understand what this means you must look at how the letters are chosen to replace the original text. This process goes as follows:

• When creating the encryption, pick a code word or phrase. For example, we choose a phrase of "ALPHABET SOUP" as our encryption code word.

Eliminate all duplicate letters in the phrase. In this case the letter **A** appears twice (once at the start and after the **H**) and the letter **P** appears twice (third letter and at the end). We also drop any spaces and punctuation to end up with **ALPHBETSOU**

Pick an offset in the alphabet to place the code word. In this example, we will start at offset 5 meaning that we shift the alphabet by 5 characters. This means that we will map the letter **A** to **F**, **L** to **G** etc. This means the word **THE** would be encoded as **LIK**

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	0	P	Q	R	S	T	U	V	W	X	Y	Ζ
Frequency																										
Replacement						A	L	Р	H	В	E	Т	S	0	U											

Next, we fill in the remainder of the alphabet starting at the end of the phrase with the start of the alphabet and wrapping back to the beginning to use up all the characters. However, in this case since we already used the letters A, B and E in our phrase, we would start with C D F G etc. This gives us a mapping of

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	0	P	Q	R	S	Т	U	V	W	X	Y	\mathbf{Z}
Frequency																										
Replacement	V	W	Х	Y	Ζ	A	L	Р	H	В	E	Т	S	0	U	С	D	F	G	Ι	J	K	Μ	N	Q	R

Applying the knowledge

To see how this would be useful, let's take a simple Aristocrat which was encoded with a K1 alphabet. We know that because of the K1 in the replacement table.

MQKAI FXLA MVRUI DRBQ BQI DXAUN.

RB'M K MFVHXU XO OARIWNMQRY KWN YIKJI.

K1	A	B	С	D	E	F	G	Н	Ι	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	Z						
Frequency	4	3		2		2		1	6	1	4	1	5	3	2		4	5			3	2	2	4	2							
Replacement																																
Taking a quicl MQKAI FXI S A			ÍVI	RU :	-	DR	-		3Q		-				orc	l at	the	e st	art	of	the	e se	00	nd	sen	ten	ce si	ıgge	ests	IT'	S	A.
RB'M K MI	TV	ΉX	U	X	D (OA	RI	[W]	M	QF	RY	K	WN	Y	[I]	κJ	I.															
IT'S A S							I		S	I		A			1	A	•															
K1	A	B	С	D	E	F	G	Н	Ι	J	K	L	Μ	Ν	0	Р	Q	R	S	Т	U	V	w	X	Y	Z						
Frequency	4	3		2		2		1	6	1	4	1	5	3	2		4	5			3	2	2	4	2							
Replacement		Т									А		S					Ι														
The three-letter Filling that in MQKAI FXI SHA E	giv	ves M	us IVI		I I	DR	BÇ		3Q	I					he	mo	st f	frec	lne	nt	lett	er,	so	we	e ca	n a	ssun	ne tl	nat i	t is !	THE	! .
RB'M K MI	TV	ΉХ	U	X	o o	OA	RI	W	M	QF	RY	K	WN	Y	[I]	κJ	I.															
IT'S A S							IE	1	S	HI		A			E	A I	Ε.															
K1	A	B	С	D	E	F	G	H	Ι	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	Z						
Frequency	4	3		2		2		1	6	1	4	1	5	3	2		4	5			3	2	2	4	2							
Replacement		Т							E		A		S				Η	Ι														
This is where notice that the		-			-														-				-							-		of

notice that the **A** is after the **E** and the **S** is only one letter away from the **A**. This tells us that they must be part of the key phrase. Looking further we see the **HI** combination which we can guess is part of the remaining alphabet. Furthermore counting the letters after the **H I**, we try **J K L M N O P Q R** (skip the **S** because it was already used) **T** and see that it fits exactly in the space for **S** to **A** giving us a replacement alphabet of:

K1	A	B	С	D	E	F	G	H	I	J	K	L	M	N	0	P	Q	R	S	Т	U	V	W	X	Y	Z
Frequency	4	3		2		2		1	6	1	4	1	5	3	2		4	5			3	2	2	4	2	
Replacement	R	Т							E		A		S				Η	Ι	J	K	L	Μ	N	0	Р	Q

MQKAI FXLA MVRUI DRBQ BQI DXAUN.

SHARE O R SMILE ITH THE ORL

RB'M K MFVHXU XO OARIWNMQRY KWN YIKJI. IT'S A S M OL O RIEN SHIP AN PEA E.

This fills in quite a bit for us and we can readily see that **D** must be **W**, **O** must be **F** and **N** must be **D** giving us: **MQKAI FXLA MVRUI DRBQ BQI DXAUN**. **SHARE O R SMILE WITH THE WORLD**

RB'M K MFVHXU XO OARIWNMQRY KWN YIKJI.

IT'S A S M OL OF FRIENDSHIP AND PEA E.

K1	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	0	Р	Q	R	S	Т	U	V	W	X	Y	\mathbf{Z}
Frequency	4	3		2		2		1	6	1	4	1	5	3	2		4	5			3	2	2	4	2	
Replacement	R	Т		W					E		A		S	D	F		Η	Ι	J	K	L	М	Ν	0	P	Q

We can look and know a couple of things. **P** must be **G** because of the single letter gap between the **F** and the **H**. The letters **B** and **C** must be in the key phrase because we started with the letter **D** after the phrase. But we also can see a couple of letters to substitute in the phase. **J** must be **C** to make the word **PEACE** and **FXLA** must be **YOUR**. This gives us:

```
MQKAI FXLA MVRUI DRBQ BQI DXAUN.
SHARE YOUR SMILE WITH THE WORLD
```

RB'M K MFVHXU XO OARIWNMQRY KWN YIKJI. IT'S A SYM OL OF FRIENDSHIP AND PEACE.

K1	A	B	С	D	E	F	G	Н	Ι	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	Z
Frequency	4	3		2		2		1	6	1	4	1	5	3	2		4	5			3	2	2	4	2	
Replacement	R	Т		W		Y			E	С	A	U	S	D	F	G	Η	Ι	J	K	L	Μ	N	0	Р	Q

Looking at this, we see that \mathbf{V} must be between \mathbf{T} and \mathbf{W} (we already used the \mathbf{U}) \mathbf{X} must be between the \mathbf{W} and the \mathbf{Y} which is followed by \mathbf{Z} . This leaves \mathbf{H} to map to the letter \mathbf{B} .

```
MQKAI FXLA MVRUI DRBQ BQI DXAUN.
SHARE YOUR SMILE WITH THE WORLD
RB'M K MFVHXU XO OARIWNMQRY KWN YIKJI.
IT'S A SYMBOL OF FRIENDSHIP AND PEACE.
     K1
                A B C D E F G H I J K L M N O P Q R S T U V W X Y Z
                4 3
                          2
                                       1 6 1 4 1 5 3 2
                                                                   4 5
 Frequency
                                2
                                                                                3
                                                                                       2
                                                                                          4
Replacement |\mathbf{R}| \mathbf{T} | \mathbf{V} | \mathbf{W} | \mathbf{X} | \mathbf{Y} | \mathbf{Z} | \mathbf{B} | \mathbf{E} | \mathbf{C} | \mathbf{A} | \mathbf{U} | \mathbf{S} | \mathbf{D} | \mathbf{F} | \mathbf{G} | \mathbf{H} | \mathbf{I} |
                                                                            KL
                                                                                         O P
                                                                         J
                                                                                   M N
```

This gives us our solution and you can see that the keyword was "**BECAUSE**." Note that just because it is a K1 alphabet doesn't mean that you must solve it that way, it just serves as a hint to make it easier.

5.c. Solving with a K2 Alphabet

5.d. Solving with a K3 Alphabet

With a K3 alphabet, both the source and replacement alphabets are the same. It is a bit harder to solve with a K3, but there are some hints that help you out.

To understand what this means you must look at how the letters are chosen to replace the original text. This process goes as follows:

• When creating the encryption, pick a code word or phrase. For example, we choose a keyword of "MACHINERY" as our encryption code word.

We then build up an alphabet starting with the keyword followed by all the other letters which weren't used: **MACHINERY**BDFGJKLOPQSTUVWXZ

Pick an offset to shift the second alphabet by. If we pick an offset of 1 then we get a mapping like:

$\textbf{MACHINERY} \texttt{BDFGJKLOPQSTUVWXZ} \quad Ciphertext$

Z**MACHINERY**BDFGJKLOPQSTUVWX *Plaintext*

When you build out the replacement table, you will notice that the keyword mostly disappears

	A	B	C	D	E	F	G	H	Ι	J	K	L	M	N	0	P	Q	R	S	Т	U	V	W	Х	Y	Ζ
Frequency																										
Replacement	M	Y	A	В	N	D	F	С	H	G	J	K	Ζ	Ι	L	0	Р	E	Q	S	Т	U	V	W	R	Х

However, as you can see where the highlighted letters end up, because of the offset of 1, only the mapping of the **M** and the **Y** don't correspond to another letter of the keyword. But all of the other letters map to a closely shifted letter in groups. For example, you see **STUVW** and **TUVWX** as a nice clean set and **KL/JK** as another nice pair mapping

You want offsets that produce some overlap between the letters. The toughest K3 would be a 13-character phrase with an offset of 13 so that there is no overlap. Small offsets mean that they can see the sequence of characters more readily. For this example, we will use an offset of 3 which would give us

MACHINERYBDFGJKLOPQSTUVWXZ *Ciphertext*

WXZ**MACHINERY**BDFGJKLOPQSTUV *Plaintext*

This gives us a replacement table that looks like:

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	N	0	P	Q	R	S	Т	U	V	W	Х	Y	Ζ
Frequency																										
Replacement	Х	E	Ζ	R	H	Y	В	M	A	D	F	G	W	C	J	K	L	Ι	0	Р	Q	S	Т	U	N	V

Which you should notice is quite a bit different from the offset of 1 replacement table. Also, six of the characters map to other letters in the replacement set which is what you would expect with a shift of 3 for a 9-character keyword.

Applying the knowledge

To see how this would be useful, let's take a simple Aristocrat which was encoded with a K3 alphabet. We know that because of the K1 in the replacement table. We are asked to solve the K3 keyword and are giving a solution box of:

WESVB RDDRWIWRSYV IYJ XYBIVRYBVV FSX IDB KINBJ MRWE IDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ.

КЗ	A	B	С	D	E	F	G	Н	I	J	K	L	M	Ν	0	Р	Q	R	S	Т	U	V	W	X	Y	Z
Frequency		11		4	4	2		1	10	3	3	1	1	2			3	8	5			7	8	4	8	2
Replacement																										

Our immediate guess is that the high frequency of **B** suggests that it map to **E**.

WESV	7B RI	DDRI	WIW	IRSYV	IYJ	XYBI	/RYBVV	FSX	IDB	KIN	ВJ	MRWE	
	E					E	E		Ε		E		
IDB	BZR	JBY	NB	WEIW	FSX	EIZB	IY IV	VRLY	BYW	WS	кхς	QKRQQ.	
E	E	E	Е			E			Е				

К3	A B	С	DE	FG	HIJ	KL	MN	NO	P () R	S T	UV	WXYZ	
Frequency	11		4 4	2	1 10 3	3 1	1 2	2		3 8	5	7	8 4 8 2	
Replacement						_								
Looking at the	e next	mc	ost fre	quent l	etter I , v	ve m	ight g	gues	s tha	t it i	s a T ,	but tl	nat the WEIW in the middle would	
come out as W	ETW	anc	the c	only rea	l word t	hat w	ould	mat	ch tl	nat p	attern	is HZ	ATH , so we go to the W as the next	
Looking at the next most frequent letter I, we might guess that it is a T, but that the WEIW in the middle would come out as WETW and the only real word that would match that pattern is HATH, so we go to the W as the next most frequent which gives the word HATH and filling in a lot of other possibilities WESVB RDDRWIWRSYV IYJ XYBIVRYBVV FSX IDB KINBJ MRWE TH E TAT A EA E A E TH IDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ. A E E E THAT HA E A A E T T . K3 A B C D E F G H I J K L M N O P Q R S T U V W X Y Z Frequency $11 4 4 2 1 10 3 3 1 1 2 3 8 5 7 8 4 8 2$ Replacement $E H A A A F T T$. With this in place, a couple of letters are just staring at us. The Evv almost certainly means that V must be S and that TS must be TO which gives us: WESVB RDDRWIWRSYV IYJ XYBIVRYBVV FSX IDB KINBJ MRWE THOSE TAT O S A EAS ESS O A E A E TH														
			RSYV	IYJ			BVV	7 FS						
IDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ.A E E E THATHA E A AE T T.K3A B C D E F G H I J K L M N O P Q R S T U V W X Y ZFrequencyReplacement $11 4 4 2 1 10 3 3 1 1 2 3 8 5 7 8 4 8 2$ E H A A A A A A A A A A A A A A A A A A														
IDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ. A E E THAT HA A E T . K3 A B C D E F G H J K L M O P Q R S T U V W X Z K3 A B C D E F G H J K L M O P Q R S T U V W X Z Frequency 11 4 4 2 1 10 3 1 1 2 3 8 5 7 8 4 8 2 Replacement E H A I														
IDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ.A E E E THATHA E A A E T TK3A B C D E F G H I J K L M N O P Q R S T U V W X Y ZFrequency $11 4 4 2 1 10 3 3 1 1 2 3 8 5 7 8 4 8 2$ ReplacementE H A A A A A A A A A A A A A A A A A A														
A E E E THATHA E A AE T T.K3A B C D E F G H I J K L M N O P Q R S T U V W X Y ZFrequency 11 4 4 2 1 10 3 1 2 3 8 5 7 8 4 8 2 ReplacementE HHAII </th														
A E EE THATHA E A AE T T.K3 FrequencyA B C D E F G H I J K L M N O P Q R S T U V W X Y ZI14 4 21 10 3 3 1 1 23 8 57 8 4 8 2ReplacementE HA aIIIIIIIIIWith this in place, a couple of letters are just staring at us. The Evv almost certainly means that v must be S														
IDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ.A E EE THATHA E A AE T T.K3A B C D E F G H I J K L M N O P Q R S T U V W X Y ZFrequency11442110311238578482With this in place, a couple of letters are just staring at us. The Evv almost certainly means that v must be S and that TS must be TO which gives us:														
IDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ.A E E E THATHA E A AE T TK3A B C D E F G H I J K L M N O P Q R S T U V W X Y ZFrequency $11 4 4 2 1 103 3 1 1 2 3 8 5 7 8 4 8 2$ ReplacementE H A AWith this in place, a couple of letters are just staring at us. The Evv almost certainly means that v must be S and that TS must be TO which gives us:WESVB RDDRWIWRSYV IYJ XYBIVRYBVV FSX IDB KINBJ MRWE														
IDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ. A E E E THATK3A B C D E F G H I J K L M N O P Q R S T U V W X Y ZFrequency 11 4 4 2 1 10 3 1 2 3 8 5 7 8 4 8 2 Replacement E H A A B C D E F G H I														
IDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ.A E EE THATHA E A AE T TK3A B C D E F G H I J K L M N O P Q R S T U V W X Y ZFrequency 11 4 2 1 10 3 1 2 3 8 5 7 8 4 2 Keplacement 11 4 4 2 1 10 3 1 2 3 8 5 7 8 4 2 With this in place, a couple of letters are just staring at us. The Evv almost certainly means that v must be S and that TS must be TO which gives us:WESVB RDDRWIWRSYV IYJ XYBIVRYBVV FSX IDB KINBJ MRWETHOSETAT O S AEAS ESS O A E A ETHIDB BZRJBYNB WEIW FSX EIZB IY IVVRLYHBYW WS KXQKRQQ.A E E E THAT O HA E A ASS E T TO.														
K3 A B C D E F G H I J K L M N O P Q R S T U V W X Y Z Frequency 11 4 4 2 1 10 3 1 1 2 3 8 5 7 8 4 2 Replacement 11 4 4 2 1 10 3 1 1 2 3 8 5 7 8 4 8 2 Replacement E H A A I I I I 4 4 2 I 10 3 1 I														
КЗ	A D	C	DE	EC		T7 T			р (חו	C T	T T T 7	XXI X/ X/ 7	
_							I I			-				
Frequency	11		4 4			3 1	1 2	2		3 8		7		
Replacement	<u> </u>		Н				41			-4 41	0	S		
							-		0				e STUVW in the table mapping to with R appearing in the keyword or	
	-							-	-				ext, making a guess won't help us	
		-		•				-	-		-		should be TATIONS which gives	
us:				, 10 01						(
WESVB RD	DRWI	WF	RSYV	IYJ	XYBI	VRY	BVV	7 FS	SX	IDE	з кі	NBJ	MRWE	
THOSE I	ITA	TI	ONS	AN	NEA	SIN	ESS	5 (С	AE	C A	E	ITH	
IDB BZRJ	BYNE	3 TA	VEIW	FSX	EIZB	IY	IV	VR.	LYH	BY	I WS	КХ	QKRQQ.	
					HA E								 I .	
0									_		~			

KЗ	A	B	С	D	E	F	G	H	I	J	K	L	M	N	0	P	Q	R	S	Т	U	V	W	X	Y	Z
Frequency		11		4	4	2		1	10	3	3	1	1	2			3	8	5			7	8	4	8	2
Replacement		E			Η				A									Ι	0			S	Т		N	

We don't get much help with the K3 here, but several words are just begging to be filled in: A few more letters become obvious, but it is worth pointing out that we see that **IDDITATIONS**, **XNEASINESS** and **ASSILNHENT** must be **IRRITATIONS**, **UNEASINESS** and **ASSIGNMENT** respectively which gives us:

WESVB RDI	DR	WI	WF	RS :	YV	Ι	YJ	J]	XY	BI	\mathbf{V}	RY	BV	V	F	SX	Ι	DE	3 3	ΚI	NE	ЗJ	M	RW	E	
THOSE IR	RI	ТА	TI	101	NS	A	N	1	UN	EA	S	IN	ES	S	(עכ	A	RF	C	A	E	1		IT	H	
IDB BZRJI																						-	-			
ARE E I I	EN	Ε	1	'HZ	AT		Ο	J	HA	. E		A	A	SS	SIC	GN	MF	N.	C	то		U		Ι	•	
КЗ	A	B	С	D	E	F	G	H	Ι	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	Z
Frequency		11		4	4	2		1	10	3	3	1	1	2			3	8	5			7	8	4	8	2
Replacement		E		R	Η			M	A			G						Ι	0			S	Т	U	N	

This tells us a little more about the K3. The HI mapping to **MA** strongly hints that one or more of those characters are in the keyword. The **VWXY** mapping to **STUN** tells us that either **Y** or **N** (or both) are in the keyword. But we still have a few more obvious letters to fill in: **ANJ** must be **AND**, **FOU** must be **YOU**, **HAZE** must be **HAVE** and **EZIJENNE** must be **EVIDENCE** which gives us:

WESVB RD	DRWIWRSYV	IYJ XYE	IVRYBVV	FSX IDB	KINBJ	MRWE
THOSE IR	RITATIONS	AND UNE	ASINESS	YOU ARE	ACED	ITH
	BYNB WEIW				-	
ARE EVID	ENCE THAT	YOU HAV	E AN ASS	SIGNMENT	TO U	I.
КЗ	ABCDE	FGHI	KLMN	OPQR	5 T U V	WXYZ
Frequency	11 4 4	2 1 10 3	3 3 1 1 2	383	5 7	8 4 8 2

MAD

G

A couple of obvious things come out from looking at this. We know for certain that the letter **N** or **Y** (or both) is a part of the keyword by looking at the **VWXYZ** mapping to **STUNV**. We also know that **VWXZ** are not part of the keyword. We will solve the keyword in a minute, but the letters we filled in pretty much give away the remainder of the cipher:

ΙΟ

S T

UN

С

WESVB RDI	DRW	W	RSI	rv	I	YJ	73	KY:	BI	V	RY	ΒV	v	F	SX	I	DE	3]	KI	NE	зJ	M	RW	E	
THOSE IR	RITZ	\T]	[0]	NS	A	ND) τ	JN	EA	S	EN.	ES	S	Y	JU	A	RE		FA	CE	D	W	IT	H	
IDB BZRJI	BYNE	3 V	VE :	EW	F	SX	K E	EI.	ZE	3]	ΓY	I	vv	7R]	LY	HB	YV	1	WS	F	χx	2K	RQ	Q.	
ARE EVID	ENCE	5 3	CH/	AT	Y	OU	JE	IA	VE	: 2	AN	A	SS	SIC	GNI	МЕ	N7	C	TO	E	U	LF.	IL	L.	
КЗ	A B	С	D	E	F	G	Н	I	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	Z
Frequency	11		4	4	2		1	10	3	3	1	1	2			3	8	5			7	8	4	8	2
Replacement	E		R	Η	Y		M	A	D	F	G	W	С			L	Ι	0			S	Т	U	Ν	V

To figure out the K3 keyword, we need to take a quick look at the letters in the mapping to see what we can group up. We start by collecting the groups of letters that are obvious sequences and write them down. A B C D E F G H I JKL M N O P Q R S T U VWX Y Z

E RHY MADFGWC LIO STUNV

R H Y

Е

Replacement

Since both sequences must match, we can build a few more clusters by lining up what we know under them. Using three lines of the sequence helps to align them quicker. What you are looking for is where letters must line up relative to others and figure out the shift of the letters. Once you know the shift for certain, you can use it to place obvious letters. With our basic set gathered, we write down the letters under them that we know. If you don't know something, a ? is pretty useful because it MUST be some letter, you just don't know what it is, but when you do find out, it fills it in for another space.

А	В	С	D	Ε	F	G	Η	Ι	JKL	М	Ν	0	Ρ	Q	R	S	Т	U	VWX	Y	Ζ
	Е		R	Η	Y		М	А	DFG	W	С			L	Ι	0			STU	Ν	V
	H		I	Μ	N				RY?	Т	?			G	Α	?			0??	С	S

Next, we pull out the ones which we know for certain are in the keyword and push them together. The **RY** is certainly in the keyword because of the **JKL/DFG**. It also tells us the **E** is in the keyword. So, a little rewrite of the letters pushing a few of the ones we know are together.

A B C D E F G H I **JKL** M N O P **QSTUVWXZ** RΥ ? E ? R H Y ? M A **DFG** W C LO STUV ΙΝ ? H ? I M N ? W ? **RY?** T ? G? 0??S A C It is clear at this point in time that the sequence **JKLOPOSTUVWXZ** is the end of the list so we can reorganize it as A B C D E F G H I **JKLOPQSTUVWXZ** M N R Y ? E ? R H Y ? M A DFG??LO??STUV W C I N ? H ? I M N ? W ? RY???G???O??S T ? A C We fill in the ones we now know - JK must correspond to OP because it is right before the LO A B C D E F G H I JKLOPQSTUVWXZ M N R Y ? E ? R H Y ? M A DFG**JK**LO**PQ**STUV W C I N ? H ? I M N ? W ? RY?DFGJKLOPQS T ? A C Moving backwards we can pull in DFG in front of JKL filling from the others we know A B C DFGJKLOPQSTUVWXZ E H I M N R Y ? E ? RY?DFGJKLOPQSTUV H M A W C I N ? H ? IN?RY?DFGJKLOPQS M W ? T ? A C Now we can go forwards because we know w need to be after **TUV** on the second line and it tells us that the first letter of the keyword is **M** A B C DFGJKLOPQSTUVWXZ**M** E H I N R Y ? E ? RY?DFGJKLOPQSTUVW H M A C I N ? H ? IN?RY?DFGJKLOPQST M W ? ? A C To figure what goes after M, we have only two letters which aren't identified, A and C. Since MC doesn't make

a good word, we will go with **MA** which will have to map to \mathbf{X} and subsequently \mathbf{U}

B C DFGJKLOPQSTUVWXZM**A** E H I N R Y

E ? RY?DFGJKLOPQSTUVW**X** H M A C I N

H ? IN?RY?DFGJKLOPQST**U** M W ? ? A C

We also know that after **STU** on the bottom line, we need to have **VWXZ** but only the **W** is known (which is good because it also puts the **M** in the right place).

- B C DFGJKLOPQSTUVWXZMA**-H** E I N R Y
- E ? RY?DFGJKLOPQSTUVWX**-M** H A C I N

H ? IN?RY?DFGJKLOPQSTU-W M ? ? A C

From looking at this, we know the shift of the letters to be 3, so we can order the letters that we have remaining in place. The **H** in the second row must be three after the **H** in the first row. The **A** in the second row must be three after the **A** in the first row. Then the **I** in the second row should be three after the **I** in the first row giving us:

B C DFGJKLOPQSTUVWXZMA-H**i-er** N Y

E ? RY?DFGJKLOPQSTUVWX-M**A-HI** C N

H ? IN?RY?DFGJKLOPQSTU-W**?-MA** ? C

With the three C's staring at us and a gap of three after the MA, HI and ER, we know that they have to go there so we put them in place.

- B DFGJKLOPQSTUVWXZMACHINERY
- E RY?DFGJKLOPQSTUVWX?MACHIN
- H IN?RY?DFGJKLOPQSTU**?**W?**?**MA**C**

At this point, the answer comes out as being **MACHINERY**.

6. Patristocrat



6.a. General solving approach

In general, there are three basic strategies for solving a Patristocrat. Because there are no word spacings, many of the Aristocrat rules don't apply

1. Frequency is your friend. Look for the high frequency letters to match them with **ETAOIN**.

6.b. Solving with a K1 Alphabet

Question #5 on <u>2018 Sample 7</u> is a Patristocrat with a <u>K1 alphabet</u> and a simple clue:

5) **[250 Points]** Solve this K1 key encoded Patristocrat which is a quote by Barbara Tuchman in "*Can History Be Served Up Hot?*" and has the word **THE** in it three times and ends with **HEARD**.

JFHVI DHESD LHLBC UJOUI SIHSJ FHDJF CISVD SRLMD OHILJ FHJDH HOIJF HBDOG HWCRM SDHUJ XFOEF MHRRX OJFSV JKHOI NFHCD L

K1	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	0	P	Q	R	S	Т	U	V	W	X	Y	Z
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement																										

Here's one approach to solving it that focuses more heavily on the K1 key as a major clue.

1. Since we are given that **FHCDL** corresponds to **HEARD**, we can go through and make that substitution globally as well as put it in our replacement below

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
HE	RE R	DED A		Е	HER H	A R	D R
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
E D	HE RE	E H	ER	EA	RE	H H	E
OJFSV	JKHOI	NFHCD	L				
H	Е	HEAR	D				

K1	A	B	С	D	E	F	G	H	I	J	K	L	M	Ν	0	P	Q	R	S	Т	U	V	W	X	Y	Z
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement			Α	R		Η		E				D														

2. Next, we look for the locations of **THE** and see that **J** just correspond to **T** which is good because **J** also has a high frequency count. We fill that Information in to get:

JFHVI	DHE	SD	LHLI	ЗC	UJOUI	SIHS	δJ	FHDJF	CI	SVD	SRL	MD
THE	RE	R	DED	Α	Т	E	Т	HERTH	Α	R	D	R

оні	LJ	FΗ	IJDH	H	OIJF	ΗI	BDOG	ΗV	ICRM	SDHUJ	XFOR	ΞF	MHRRX
Е	DT	ΗE	TRE	Ε	ΤH	Е	R	Е	A	RE	H	H	E
OJE	SV	JF	кног	N	FHCD	L							
TH	I	Т	Е		HEAR	D							

K1	Α	B	С	D	Ε	F	G	Η	I	J	K	L	Μ	Ν	0	Р	Q	R	S	Т	U	V	W	Х	Y	Z
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement			A	R		Η		E		Т		D														

3. Looking at the key, we have quite a few clues. Because we have the **H** and **E** between the **R** and the **T**, we know that all of them are part of the key word. Along with that since the A is right before the R, we also know that it is part of the K1 key word. Looking at the unused letter for A, we could make a good guess that it is the letter Z which means that our keyword goes from at least B to J as ?AR?H?E?T which we mark giving us:

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
THE	RE R	DED A	Т	ЕТ	HERTH	A R	D R
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
E DT	HETRE	E TH	ER	EA	RE T	H H	E
OJFSV	JKHOI	NFHCD	L				
TH	ТЕ	HEAR	D				

K1	A	B	С	D	E	F	G	Η	Ι	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	Ζ
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement	Ζ		Α	R		Η		E		Т		D														

4. Looking at the unused letter at \mathbf{T} and counting backwards from \mathbf{Z} we could make a good guess that \mathbf{T} stands for **Q** which would mean that **TUVWXYZ** maps to **QSUVWXY** because **R** and **T** were already used. Filling this in gives us:

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
THEU	RE R	DED A	ST S	ЕТ	HERTH	A UR	D R
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
E DT	HETRE	E TH	ER	EVA	REST	WH H	E W
OJFSV	JKHOI	NFHCD	L				
TH U	ТЕ	HEAR	D				
K1	ABCD	EFGHI	JKLM	NOPQR	STUVV	VXYZ	
Frequency	2 4 9	2 9 1 15 7	10 1 5 3	1 7 4	7 3 3 1	2	

K1	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	0	Р	Q	R	S	Т	U	V	W	X	Y	Z
Replacement	Ζ		A	R		Η		E		Т		D								Q	S	U	V	W	X	Y

5. Looking at the remaining letters between D and Q we see that there must be three gaps. Likewise, we can also see that the 4th letter much come from the K slot. This gives us K could be either B or C, M must be one of FGIJ (H was already used), N is GIJK, etc. We mark the Information down and then look to see if any of them make sense.

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
THEU	RE R	DED A	ST S	ЕТ	HERTH	A UR	D R
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
E DT	HETRE	E TH	ER	EVA	REST	WH H	E W
OJFSV	JKHOI	NFHCD	L				
TH U	ТЕ	HEAR	D				

K1	Α	B	С	D	Ε	F	G	Η	Ι	J	K	L	M	Ν	0	Р	Q	R	S	Т	U	V	W	Х	Y	Ζ
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement	Ζ		A	R		Η		E		Т	bc	D	fgij	gijk	ijkl	jklm	klmn	lmno	mnop	Q	S	U	V	W	Х	Y

6. Some obvious ones stand out. Looking at the N right before HEARD at the end, we have choices of GIJK. Since we know of few words that end in either I or J we know it must be a G or a K. Looking back a bit more we see the HRRX which is ElmnolmnoW giving us choices of ELLW EMMW ENNW or EOOW. The only one of those which makes sense is ELLW which means R must be L. Filling these in gives us:

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
THEU	RE R	DED A	ST S	ЕТ	HERTH	A UR	LD R
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
E DT	HETRE	E TH	ER	EVAL	REST	WH H	ELLW
OJFSV	JKHOI	NFHCD	L				
TH U	ТЕ	_{gk} HEAR	D				

K1	A	B	С	D	E	F	G	H	I	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	Z
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement	Ζ		A	R		Η		E		Т	bc	D	fgij	gk	ijkl	J	K	L	mnop	Q	S	U	V	W	Х	Y

^{7.} Now that we filled in the **K** as a substitution for **Q**, we know that **N** must be a **G** and **O** must be an **I** and **M** must be an **F**. Filling these in gives us:

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
						A UR	
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
IE DT	HETRE	EI TH	E RI	EVALF	REST	WHI H	FELLW
OJFSV	JKHOI	NFHCD	L				
ITH U	T EI	GHEAR	D				

K1	A	B	С	D	E	F	G	H	I	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	Z
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement	Ζ		A	R		Η		E		Т	bc	D	F	G	Ι	J	K	L	mnop	Q	S	U	V	W	Х	Y

8. Looking near the end of the second line we see **XFOEFMHRR** mapping to **WHI?HFELL** and could only be **WHICH FELL** meaning that **E** must be a **C**, which this also tells us that **K** must be **B** (because that was the only letter left). Filling that in gives us:

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
THEU 🔰	REC R	DED A	STIS	ЕТ	HERTH	A UR	LDFR
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
IE DT	HETRE	EI TH	E RI	EVALF	REST	WHICH	FELL <mark>W</mark>
OJFSV	JKHOI	NFHCD	L				
ITH U	TBEI	GHEAR	D				

K1	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	0	Р	Q	R	S	Т	U	V	W	X	Y	Z
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement	Ζ		A	R	C	Η		E		Т	В	D	F	G	Ι	J	K	L	mnop	Q	S	U	V	W	X	Y

9. At this point, there are only four letters which haven't been mapped: M N O P. Looking at the end of the phrase we see KHOIN mapping to BEI?G leading us to the conclusion that I must map to N. Filling that in gives us:

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
THEUN	REC R	DED A	STISN	NE T	HERTH	AN UR	LDFR
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
IENDT	HETRE	EINTH	E RI	EVALF	REST	WHICH	FELL <mark>W</mark>
OJFSV	ЈКНОІ	NFHCD	L				
ITH U	TBEIN	GHEAR	D				

K1	A	B	С	D	E	F	G	H	Ι	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	\mathbf{Z}
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement	Ζ		A	R	C	Η		E	N	Т	В	D	F	G	Ι	J	K	L	mop	Q	S	U	V	W	X	Y

10. With only **MO** and **P** left, we look at the start of the phrase and see **VIDHESDL** mapping to **UNREC?RD** with the only possible mapping for **S** being **O**. Filling that in gives us:

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
THE <mark>UN</mark>	RECOR	DED A	STISN	ONEOT	HERTH	ANOUR	OLD FR
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
IEND <mark>T</mark>	HETRE	EINTH	E RI	EVALF	OREST	WHICH	FELL <mark>W</mark>
OJFSV	ЈКНОІ	NFHCD	L				
ITHOU	TBEIN	GHEAR	D				

K1	A	B	С	D	E	F	G	Η	Ι	J	K	L	M	N	0	P	Q	R	S	Т	U	V	W	X	Y	Ζ
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement	Ζ		A	R	C	Η		E	N	Т	В	D	F	G	Ι	J	K	L	0	Q	S	U	V	W	X	Y

11. There are only three letters left to fill in and we could just leave it this way to get 50 points off on the test, but it doesn't take much of a guess with only M and P left, we read THE UNRECORDED
?AST and quickly come to the conclusion that B must stand for P to read as THE UNRECORDED
PAST which also means that G must be M. This works well as we see the K1 key word is
PARCHMENT. We complete it with filling them in as:

JFHVI	DHESD	LHLBC	UJOUI	SIHSJ	FHDJF	CISVD	SRLMD
THE <mark>UN</mark>	RECOR	DEDPA	STISN	ONEOT	HERTH	ANOUR	OLD FR
OHILJ	FHJDH	HOIJF	HBDOG	HWCRM	SDHUJ	XFOEF	MHRRX
IEND <mark>T</mark>	HE TRE	EINTH	EPRIM	EVALF	OREST	WHICH	FELL <mark>W</mark>
OJFSV	јкноі	NFHCD	L				
ITHOU	TBEIN	GHEAR	D				

K1	A	B	С	D	E	F	G	H	Ι	J	K	L	M	N	0	Р	Q	R	S	Т	U	V	W	X	Y	\mathbf{Z}
Frequency		2	4	9	2	9	1	15	7	10	1	5	3	1	7			4	7		3	3	1	2		
Replacement	Ζ	Р	A	R	С	Η	M	E	N	Т	В	D	F	G	Ι	J	K	L	0	Q	S	U	V	W	Х	Y

THE UNRECORDED PAST IS NONE OTHER THAN OUR OLD FRIEND THE TREE IN THE PRIMEVAL FOREST WHICH FELL WITHOUT BEING HEARD.



Question #2 on 2018 Sample 9 is a Xenocrypt:

6) **[300 Points]** Solve this Xenocrypt which is a quote by Albert Einstein in Spanish.

MDJ FK FNFACKR IR FV KD CJQIUQCDK ADIFJD MF QIZKYQJ VRWJF KRV MFADV; FV KD YIQUD ADIFJD.

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	N	Ñ	0	P	Q	R	S	T	U	V	W	X	Y	Ζ
Frequency	4		3	10		10			6	6	7		3	1				5	4			2	5	1		2	1
Replacement																											

Here's one approach to solving it. Note that it is helpful to understand the most common words in Spanish. Wikipedia has a nice one at <u>https://en.wikipedia.org/wiki/Most_common_words_in_Spanish</u> with 100 words that are worth studying and recognizing.

 Looking at the frequency, we see that both D and F are high frequency letters, so we will assume that they are E and A which are the most frequently used letters in Spanish. However, given that they are both the same, we must look at the usage. Looking at the two-letter words using them we see FV KD. Since there are almost no two letter words that start with A, we can make a good guess that the F must be an E leaving D to stand for A.

MDJ	FK	F	NE	<u>r</u> a	C	KR	L	IR	F	V	K	D	С	JÇ	ΩI	U	QC	D	K	Α	D	ΕF	' J	D	Μ	F	Ç	QI ZKYQ	J
A	E	E	1	£					E			A						A			A	Ē	7.	A		E			
VRWJ	JF]	KR											ζΙ	Qĭ	JD		AE)I	FJ	JD	•								
	E				E	A	١		E		A				A		2	A	E	A									
															~														
		Α	B	C	D	E	F	GI	ΙI	J	K	L	Μ	Ν	Ν	0	Ρ	Q	R	S	Τ	U	V	W	Χ	Y	Ζ		
Frequ	ency	4		3	10		10		6	6	7		3	1				5	4			2	5	1		2	1		
Replace	ement				A		E																						

2. Taking another look at the **KD** the most obvious two-letter Spanish word is **LA**, (the most common Spanish word), so we will guess that **K** stands for **L**.

MDJ	F	К	FN	FZ	ACF	R	IR	F	V	KD	С	JÇ	QIU	Q	CDK	Z	D	IF	JI	1 (1F	Q	IZKYQJ
A	E	L	E	E	1			E		LA					AL		A	E	2	4	E		L
VRW	JF	F	(RV	N	1FZ	DV	7 ;	FV	K	D	YI	Q	JD	AI	DIF	JI).						
	E	1	5		E	Α		E	L	A		-	A		4 <i>E</i>	2	4						
			A B	С	D	E F	G	ΗI	J]	ΚI	M	Ν	Ñ O	P	QR	S	Т	U	V	WX	Y	Ζ	
Freq	uenc	y [4	3	10	10)	6	6	7	3	1			5 4			2	5	1	2	1	
Repla		-			Α	E	+ +		-	[]													
						12																	
3.	Tho	no	vt tur	o 1o	ttory	vord	that	ie in	torog	tina	ia E	· 77	Tho r	nost	- 00m	mor			attor	Sno	nich		ords are <i>ES</i> ,
5.			d <i>EN</i> ,							v										-			
								•				0											ences would
			0				U							0									
																							oking at the
			for O		uia i	Б	: 5 a	ina m	ust t	ЕЦ	US	(SIII		anu	A ale		eau	ук	now	·II).	I IIIS	giv	es us that R
	stan	as	for \boldsymbol{O}	•																			
MDJ	F	K	FN	FZ	ACF	KR	IR	K F	V	KD	C	JÇ	QIU	QQ	CDK	. Z	<i>J</i> D	ΙF	JI	1 (ΔF	Q	IZKYQJ
Α	E	L	E	E]	20	С		S	LA					AL		Α	E	2	<u>A</u>	E		L
VRW	JF	F	(RV	ľ	1FZ	DV	7 ;	FV	K	D	ΥI	Q	JD	AI	DIF	JI).						
SO	E		LOS		E	AS		ES				~	A		A E		4						
	_				_				_					-		-	-						
			A B	С	D	ΕF	G	ΗI	J]	ΚI	J M	Ν	Ñ O	P	QR	S	Т	U	V	W X	Y	Ζ	
Freq	uenc	ſ	4	1	10	10	T T	6	T T	7	3	1			5 4			2	5	1	2	1	

 Replacement
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4. Our remaining high frequency letters are I J and Q. Given that the eight most common Spanish letters are *EAOSNRIL* and we have used five of them, we can check to see if *N R* and *I* make sense for filling in for any of them. Looking at the IR as *?O*, we can only see *NO* as the two-letter word with I standing for *N*. Looking at the first word MDJ as *?A?*, there are no common words that end as *?AI* so we can guess that J stands for *R*.

MDJ	Γ]	FK	F	' N]	FAC	CKR		IR	FV	K	D	CJ	QI	ĽÜ	JQCDK	A	DIFJD	N	1F	QI	Z	KY	QЈ
AF	2	EL	E	7.	E	LC		NO	<u>ES</u>	; I	<mark>,A</mark>	R	1	V	AL		ANERA		E	N		L	R
VRW	IJ	F]	KR	V	ME	AD	V	;]	FV	KD	Ŋ	ζIQ	UD)	ADIF	JD).						
SO	R	E .	LC)S	E	E A	S		ES	LA		N	2	4	ANE	RA							

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	Ñ	0	P	Q	R	S	Т	U	V	W	X	Y	Z
Frequency	4		3	10		10			6	6	7		3	1				5	4			2	5	1		2	1
Replacement				A		E			N	R	L								0				S				

Another two-letter word stands out – MF as ?E. Another very common Spanish word is DE and since D has not been mapped, we will assume that M maps to D. This works out well as it makes the first word be DAR. Filling this in gives us:

MDJ	FK	FNI	FACKR	IR	FV	KD	CJQI	IUQCDK	ADIFJD	MF	QIZ	KY	QЈ
<mark>DAR</mark>	<mark>EL</mark>	<mark>E</mark> 1	E LO	NO NO	<mark>ES</mark>	<mark>LA</mark>	R 1	N AL	ANERA	<mark>DE</mark>	N	L	R
VRW	JF 1	KRV	MFAD	v;]	FV I	KD Y	(IQUI	D ADIF	JD.				
<mark>SO 1</mark>	RE .	LOS	<mark>DE A</mark>	<mark>S</mark> 2	es :	LA	N Z	A ANE	<mark>RA</mark>				

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	N	Ñ	0	P	Q	R	S	T	U	V	W	Х	Y	Z
Frequency	4		3	10		10			6	6	7		3	1				5	4			2	5	1		2	1
Replacement				A		E			N	R	L		D						0				S				

6. Coming back to the **Q** which we didn't map and remembering that we wanted to try **I**, we look at usage and it fits nice with the last word on the first line, so we put it in to give us:

MDJ	FK	FNI	FACKR	IR	FV	KD	CJQIU	JQCDK	ADIFJD	MF	QIZ	ZKY	QJ
<mark>DAR</mark>	EL	E j	E LC	NO NO	<mark>ES</mark>	<mark>LA</mark>	RIN	I AL	ANERA	<mark>DE</mark>	IN	L	IR
VRW	JF 1	KRV	MFAD	V ;]	FV]	KD Y	IQUD	ADIF	JD.				
<mark>SO 1</mark>	RE .	LOS	DE A	. <mark>S</mark> .	ES .	LA	NI A	ANE	RA				

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	Ñ	0	P	Q	R	S	Т	U	V	W	X	Y	Ζ
Frequency	4		3	10		10			6	6	7		3	1				5	4			2	5	1		2	1
Replacement				Α		E			N	R	L		D					Ι	0				S				

Looking at the ?NI ?A and the remaining letters, the only one which makes sense to be in front of the N is U so we will map Y to U:

								-				ADIFJ				
<mark>DAR</mark>	EL	E	E .	LO	<mark>NO</mark>	<mark>ES</mark>	<mark>LA</mark>	R.	ΙN	Ι	AL	ANEF	RA	<mark>DE</mark>	IN	LUIR
VRW	JF	KRV	MF	ADV	'; I	TV I	KD Y	ZIQI	JD	AI	DIF	JD.				
<mark>SO 1</mark>	RE	LOS	DE	AS	5 <mark>1</mark>	ES .	LA <mark>l</mark>	UNI	A	Ż	ANEI	<mark>RA</mark>				

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	Ñ	0	P	Q	R	S	T	U	V	W	X	Y	Ζ
Frequency	4		3	10		10			6	6	7		3	1				5	4			2	5	1		2	1
Replacement				Α		E			N	R	L		D					Ι	0				S			U	

Looking at the **?ANERA** we look for letters which remain and could make sense as a word. We haven't used **TCMPBHQYVGFJZÑXKW**. Going through the letters one at a time we have **TANERA**, **CANERA**, **MANERA**, **PANERA**, etc. But the only one which makes sense is **MANERA**, so we map A to **M** to give us:

MDJ	FK	FN	FAC	CKR	IR	FV	KD	CJÇ)IU	JQC	DK	ADIFJD	MF	QIZ	KYQJ
<mark>DAR</mark>	<mark>EL</mark>	E	EM	LO	<mark>NO</mark>	<mark>ES</mark>	<mark>LA</mark>	R	ΤN	Ι	AL	<mark>MANERA</mark>	DE	IN	LUIR
VRW	JF H	KRV	ME	ADV	'; I	TV I	KD Y	ZIQU	JD	AD	IF	JD.			
<mark>SO 1</mark>	RE 1	LOS	DE	EMAS	<mark>; 1</mark>	ES <mark>.</mark>	LA <mark>l</mark>	UNI	A	<u>MZ</u>	NE	RA			

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	Ñ	0	P	Q	R	S	T	U	V	W	X	Y	Z
Frequency	4		3	10		10			6	6	7		3	1				5	4			2	5	1		2	1
Replacement	M			A		E			N	R	L		D					Ι	0				S			U	

9. At this point, we have 8 letters that haven't been filled in. Since this is a 300-point question, you can get 7 letters wrong and still get 50 points, so every letter from here on out is worth 50 points. Looking at CJQIUQCDK as ?RIN?I?AL we see that the C is used twice in that word. With our unused letter list now at TCPBHQYVGFJZÑXKW, we quickly try them as TRIN?ITAL, CRIN?ICAL, PRIN?IPAL etc. and stop as we see that it looks suspiciously like PRINCIPAL and that it looks good paired in PRINCIPAL MANERA so we assume C maps to P and U maps to C which gives us 5 more letters solved:

CJQIUQCDK ADIFJD MDJ FK FNFACKR IR FV KD MF QIZKYQJ DAR EL E EMPLO NO ESLA PRINCIPAL MANERA DE IN LUIR VRWJF KRV MFADV; FV KD YIQUD ADIFJD. SO RE LOS DEMAS ESLA UNICA MANERA

	A	B	С	D	E	F	G	H	Ι	J	K	L	M	Ν	Ñ	0	P	Q	R	S	Т	U	V	W	X	Y	\mathbf{Z}
Frequency	4		3	10		10			6	6	7		3	1				5	4			2	5	1		2	1
Replacement	M		Р	A		E			N	R	L		D					Ι	0			С	S			U	

10. With only 3 letters unmatched, on this 300-point question, we would score 250 points, so we could stop. However, there is no penalty for guessing and any one of the three being right would get us 50 more points. Our remaining unused letters are *TBHQYVGFJZÑXKW*; running letters through the three remaining words, possible guess are *EJEMPLO* and *EXEMPLO*. Since *J* is more common than *X*, we will guess **N** maps to *J*. The only letter that makes sense for *IN?LUIR* is *F*(*C* was already taken, otherwise we would guess *INCLUIR*) so Z must map to *F*. Lastly *SO?RE* is the very common Spanish word *SOBRE* so we map **W** to *B* with a solution of:

MDJ FK FNFACKR IR FV KD CJQIUQCDK ADIFJD MF QIZKYQJ DAR EL EJEMPLO NO ES LA PRINCIPAL MANERA INFLUIR DE VRWJF KRV MFADV; FV KD YIQUD ADIFJD. SOBRE LOS DEMAS ESLA UNICA MANERA

	A	B	С	D	E	F	G	Η	Ι	J	K	L	M	Ν	Ñ	0	P	Q	R	S	Т	U	V	W	X	Y	Z
Frequency	4		3	10		10			6	6	7		3	1				5	4			2	5	1		2	1
Replacement	Μ		P	А		E			N	R	L		D	J				Ι	0			C	S	В		U	F

DAR EL EJEMPLO NO ES LA PRINCIPAL MANERA DE INFLUIR SOBRE LOS DEMÁS; ES LA ÚNICA MANERA.

Translation: Setting the example is not the main way to influence others; it's the only way

Hill cipher 2x2 8.

This utilizes matrix math in order to encode/decode groups of letters corresponding to the size of the matrix. For competition, you only need to worry about a 2x2 and 3x3 matrix. Note that if the message to encrypt is not a multiple of the size of the matrix, you add as many \mathbf{z} s to the remaining letter(s) to match the matrix size. You can typically assume a normal mapping alphabet such as:

A B	С	DE	F	G	Η	I	J	K	L	Μ	Ν	0	Ρ	Q	R	S	Т	U	V	W	Х	Υ	Ζ
0 1	2	3 4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25

However, sometimes the alphabet is longer by adding punctuation and even digits. If that is the case, you just need to know the size of the alphabet and use that instead of the 26 for all the modulus operations. To encrypt you start with a key matrix either 2x2 or 3x3. Typically, this is chosen by letters to make it easier to remember. However, you can't use any combination of letters, the determinant of the matrix must be coprime with the size of the alphabet. This means that if you are making up your own examples, you need to check that the matrix is invertible, or the message would not actually be decryptable.

8.a.

2x2 Encryption

For example, we will use a 2x2 matrix of the string **AXLE** which would be encoded as

 $\begin{pmatrix} A & X \\ L & E \end{pmatrix} = \begin{pmatrix} 0 \\ 11 \end{pmatrix}$

If we wanted to encode CIPHERS, we need to break it into groups of 2 as CI PH ER SZ and do a matrix multiplication. Note the letter Z at the end to make it be a group of 2.

When you do the math in this case you get:

when you do the main in this case you get: $\begin{pmatrix} A & X \\ L & E \end{pmatrix} \begin{pmatrix} C \\ I \end{pmatrix} \equiv \begin{pmatrix} 0 & 23 \\ 11 & 4 \end{pmatrix} \begin{pmatrix} 2 \\ 8 \end{pmatrix} \equiv \begin{pmatrix} 0 \times 2 + 23 \times 8 \\ 11 \times 2 + 4 \times 8 \end{pmatrix} \equiv \begin{pmatrix} 184 \\ 54 \end{pmatrix} \equiv \begin{pmatrix} 2 \\ 2 \end{pmatrix} (mod \ 26) \equiv \begin{pmatrix} C \\ C \end{pmatrix} \\ \begin{pmatrix} A & X \\ L & E \end{pmatrix} \begin{pmatrix} P \\ H \end{pmatrix} \equiv \begin{pmatrix} 0 & 23 \\ 11 & 4 \end{pmatrix} \begin{pmatrix} 15 \\ 7 \end{pmatrix} \equiv \begin{pmatrix} 0 \times 15 + 23 \times 7 \\ 11 \times 15 + 4 \times 7 \end{pmatrix} \equiv \begin{pmatrix} 161 \\ 193 \end{pmatrix} \equiv \begin{pmatrix} 5 \\ 11 \end{pmatrix} (mod \ 26) \equiv \begin{pmatrix} F \\ L \end{pmatrix} \\ \begin{pmatrix} A & X \\ L & E \end{pmatrix} \begin{pmatrix} E \\ R \end{pmatrix} \equiv \begin{pmatrix} 0 & 23 \\ 11 & 4 \end{pmatrix} \begin{pmatrix} 4 \\ 17 \end{pmatrix} \equiv \begin{pmatrix} 0 \times 4 + 23 \times 17 \\ 11 \times 4 + 4 \times 17 \end{pmatrix} \equiv \begin{pmatrix} 391 \\ 112 \end{pmatrix} \equiv \begin{pmatrix} 1 \\ 8 \end{pmatrix} (mod \ 26) \equiv \begin{pmatrix} B \\ I \end{pmatrix} \\ \begin{pmatrix} A & X \\ L & E \end{pmatrix} \begin{pmatrix} S \\ Z \end{pmatrix} \equiv \begin{pmatrix} 0 & 23 \\ 11 & 4 \end{pmatrix} \begin{pmatrix} 18 \\ 25 \end{pmatrix} \equiv \begin{pmatrix} 0 \times 18 + 23 \times 25 \\ 11 \times 18 + 4 \times 25 \end{pmatrix} \equiv \begin{pmatrix} 575 \\ 298 \end{pmatrix} \equiv \begin{pmatrix} 3 \\ 12 \end{pmatrix} (mod \ 26) \equiv \begin{pmatrix} D \\ M \end{pmatrix}$

Which gives us an encoded string of CCFLBIDM.

Now a common question is how to quickly do a mod 26 using a non-scientific calculator. The easiest way to do it is to take the number (for example 184) and divide it by 26 to get 7.0769231. You can subtract out the integer portion to get 0.0769231 and then multiply that by 26 to get 2.0000006 (remember that it may not have the same precision as a scientific calculator), so we know that the remainder is 2 which corresponds to the letter C.

8.b. 2x2 Decryption

To decrypt you will need to determine the inversion of the 2x2 matrix. For a 2x2 there is a well-known solution:

 $A^{-1} \equiv \begin{bmatrix} a & b \\ c & d \end{bmatrix}^{-1} \equiv \frac{1}{\det(A)} \begin{bmatrix} d & -b \\ -c & a \end{bmatrix} \equiv \frac{1}{ad-bc} \begin{bmatrix} d & -b \\ -c & a \end{bmatrix}$ To simplify matters, the det(A) is given as a table on the resources page. Since there are only 13 possible values for A you map them as follows.

1	3	5	7	9	11	15	17	19	21	23	25
1	9	21	15	3	19	7	23	11	5	17	25

9. Hill cipher 3x3



For a 3x3 matrix of the string **PRACTICED** which would be encoded as

$$\begin{pmatrix} P & R & A \\ C & T & I \\ C & E & D \end{pmatrix} \equiv \begin{pmatrix} 15 & 17 & 0 \\ 2 & 19 & 8 \\ 2 & 4 & 3 \end{pmatrix}$$

If we wanted to encode **SPECIALS**, we need to break it into groups of 3 as **SPE CIA LSZ** and do a matrix multiplication. In this case we get

$$\begin{pmatrix} P & R & A \\ C & T & I \\ C & E & D \end{pmatrix} \begin{pmatrix} S \\ P \\ E \end{pmatrix} \equiv \begin{pmatrix} 15 & 17 & 0 \\ 2 & 19 & 8 \\ 2 & 4 & 3 \end{pmatrix} \begin{pmatrix} 18 \\ 15 \\ 4 \end{pmatrix} \equiv \begin{pmatrix} 15 \times 18 + 17 \times 15 + 0 \times 4 \\ 2 \times 18 + 19 \times 15 + 8 \times 4 \\ 2 \times 18 + 4 \times 15 + 3 \times 4 \end{pmatrix} \equiv \begin{pmatrix} 525 \\ 353 \\ 108 \end{pmatrix} \equiv \begin{pmatrix} 5 \\ 15 \\ 4 \end{pmatrix} (mod \ 26) \equiv \begin{pmatrix} F \\ P \\ E \end{pmatrix}$$

$$\begin{pmatrix} P & R & A \\ C & T & I \\ C & E & D \end{pmatrix} \begin{pmatrix} C \\ I \\ A \end{pmatrix} \equiv \begin{pmatrix} 15 & 17 & 0 \\ 2 & 19 & 8 \\ 2 & 4 & 3 \end{pmatrix} \begin{pmatrix} 2 \\ 8 \\ 0 \end{pmatrix} \equiv \begin{pmatrix} 15 \times 2 + 17 \times 8 + 0 \times 0 \\ 2 \times 2 + 19 \times 8 + 8 \times 0 \\ 2 \times 2 + 4 \times 8 + 3 \times 0 \end{pmatrix} \equiv \begin{pmatrix} 166 \\ 156 \\ 36 \end{pmatrix} \equiv \begin{pmatrix} 10 \\ 0 \\ 10 \end{pmatrix} (mod \ 26) \equiv \begin{pmatrix} K \\ A \\ K \end{pmatrix}$$

$$\begin{pmatrix} P & R & A \\ C & T & I \\ C & E & D \end{pmatrix} \begin{pmatrix} L \\ S \\ Z \end{pmatrix} \equiv \begin{pmatrix} 15 & 17 & 0 \\ 2 & 19 & 8 \\ 2 & 4 & 3 \end{pmatrix} \begin{pmatrix} 11 \\ 18 \\ 25 \end{pmatrix} \equiv \begin{pmatrix} 15 \times 11 + 17 \times 18 + 0 \times 25 \\ 2 \times 11 + 4 \times 18 + 3 \times 25 \end{pmatrix} \equiv \begin{pmatrix} 471 \\ 564 \\ 169 \end{pmatrix} \equiv \begin{pmatrix} 3 \\ 18 \\ 13 \end{pmatrix} (mod \ 26) \equiv \begin{pmatrix} D \\ S \\ N \end{pmatrix}$$

Which gives us an encoded string of FPEKAKDSN.

Decoding is done in the same manner, but the 3x3 decoding matrix will be provided. In this case we can decode the string **FPEKAKDSN** which was encoded using the string **PRACTICED** for which we will get the inverse matrix:

(P	R	A	-1	/15	17	0\	-1	/ 1	25	$\binom{20}{16}$
(C	Т	Ι	≡	2	19	8	≡	16	7	16
$\backslash C$	E	D^{\prime}		\ ₂	4	3/		\4	0	9/

Using this matrix, we proceed the same way as encoding breaking up in groups of 3 and do the matrix multiplications

Which gives us an encoded string of **SPECIALSZ**. Since we know that the **Z** at the end is padding, our answer is **SPECIALS**.

10. Affine cipher



The Affine cipher is a simple substitution cipher where each letter maps to exactly one other letter. Given an alphabet of size m, you need to have two key values a and b such that a and m are coprime (i.e., there is no positive divisor for both other than 1). If a=1, then the Affine cipher is a trivial Caesar cipher. Assuming m=26 as, you will find most commonly, then the possible values for a will be 1, 3, 5, 7, 9, 11, 15, 17, 19, 21, 23 and 25.

10.a.

Encryption

To encrypt a letter, the formula is

 $E(x) = (ax + b) \mod m$

Assuming a normal alphabet such as:

Α	В	С	D	Ε	F	G	Н	Ι	J	Κ	L	М	Ν	0	Ρ	Q	R	S	Т	U	V	W	Х	Υ	Ζ
0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25

We can pick a value of a=7 and b=42.

Plaintext	S	С	Ι	Е	Ν	С	Е	0	L	Y	Μ	Р	Ι	А	D
X	18	2	8	4	13	2	4	14	11	24	12	15	8	0	3
(7x+42)	168	56	98	70	133	56	70	140	119	210	126	147	98	42	63
(7x+42) mod 26	12	4	20	18	3	4	18	10	15	2	22	17	20	16	11
ciphertext	Μ	Е	U	S	D	Е	S	Κ	Р	С	W	R	U	Q	L

10.b. Decryption by Formula (hard)

If you had a message and were given the values of *a* and *b*, you must apply a formula to build the decryption for each letter. The formula is

 $D(x) = a-1 (x - b) \mod m$

where a^{-1} is the modular multiplicative inverse of $a \mod m$.

 $1 = aa-1 \mod m$

If we want to decrypt it, we must figure out multiplicative inverse of $a \mod m$. There are some approximation ways to do it, but since there are only 26 values, we can brute force it to look for the one value of t where the result of $t^*a \mod m = 1$.

t	1	2	3	4	5	6	7	8	9	10	11	12	13
<i>t*</i> 7 mod 26	7	14	21	2	9	16	23	4	11	18	25	6	13
Т	14	15	16	17	18	19	20	21	22	23	24	25	26
<i>t*</i> 7 mod 26	20	1	8	15	22	3	10	17	24	5	12	19	0

Based on this, we know that $a^{-1} = 15$ and we can proceed to decrypt.

ciphertext	Μ	Е	U	S	D	Е	S	Κ	Р	С	W	R	U	Q	L
У	12	4	20	18	3	4	18	10	15	2	22	17	20	16	11
15(y - 42)	-450	-570	-330	-360	-585	-570	-360	-480	-405	-600	-300	-375	-330	-390	-465
15(y - 42) mod 26	18	2	8	4	13	2	4	14	11	24	12	15	8	0	3
Plaintext	S	С	Ι	Е	Ν	С	Е	0	L	Y	М	Р	Ι	Α	D

While this is possible to do, it requires a bit of trial and error to figure out the multiplicative inverse. As such, there are easier ways you could approach decryption if you do know some characters:

10.c. Decryption when you know some characters (Easier)

Sometimes you will be given the ciphertext and a couple of plain text letters. For example. Suppose you were given the ciphertext of

GLIID MGNF NF J XNKGLY

and are told that the first word is HELLO.

You can start out by figuring out what the values of *a* and *b* are as follows: We know that the characters map like this:

To determine the values of a and b from the formula:

Output = $ax+b \pmod{26}$

You only need to have two letters mapped. For convenience, we just pick the first two, write them as the formula and then solve for *b* initially: So, we have:

$$a * 7 + b (Mod 26) = 6$$

 $a * 4 + b (Mod 26) = 11$

You can cancel out the *a* in both by multiplying each by the other a value. I.e., since the first is a^*7 , and then second is a^*4 we multiply the first by 4 and the second by 7

$$4 * (a * 7 + b (Mod 26)) = 4 * 6$$

7 * (a * 4 + b (Mod 26)) = 7 * 11

Simplify them to get:

$$a * 28 + 4 * b (Mod 26) = 24$$

 $a * 28 + 7 * b (Mod 26) = 77$

Don't worry about the mod 26 portion for now, we will handle it in a bit. Next, we need to subtract to cancel out the *a*. For convenience, subtract the smaller from the larger:

$$a * 28 + 7 * b (Mod 26) = 77$$

- a * 28 + 4 * b (Mod 26) = 24
3 * b (Mod 26) = 53

Since the modulus is a one-way transformation, we need to take the mod of the right-hand side which is 1. So, we know that:

 $3 * b \pmod{26} = 1 (or some other mod 26 value)$

To discover which value of b there is, simply compute the other modulus values and see which is a perfect multiple. We know it can't be 1 since b must be an integer.

Add 26 to get 27 and we observe that 27/3 = 9

So, we now know that b=9. Now we need to solve for *a*. All we need to do is substitute 9 in for *b* in either of the formulas and repeat the same process again. For convenience we use the second formula since it is easier to see if something is a power of 4 vs. a power of 7

$$a * 4 + 9 (Mod 26) = 11$$

$$a * 4 + 9 - 9 (Mod 26) = 11 - 9$$

$$a * 4 (mod 26) = 2$$

Just like before we look for a modulus value which is a perfect multiple of 4. We know that it isn't 2, so we add 26 to 2 to get 28. Since 28/4 = 7 we know that a=7.

Now that you know that b=9 and a=7, you need to decode the remainder of the text.

	X N K G L Y		J		F	T.4		F	T.4	G	1-1		D	I	I	L	G
--	-----------------------	--	---	--	---	-----	--	---	-----	---	-----	--	---	---	---	---	---

|--|

Starting with the most frequent characters, calculate the mappings for ETAOIN. However, take note that the letter A is 0 which means that all you need to do is look up the value of b in the table to know the output letter.

Unencrypted	Value	7*x+9	7*x+9 mod 26	Encrypted
E	4	We already kn	ew this	L
Т	19	142	12	М
A	0	Don't bother to calculat	te, just look <i>b</i> up	J
0	14	We already kn	new this	D
I	8	65	13	N
N	13	100	22	W

With the 4 new letters we can fill in the cipher as follows.

G	L	I	I	D	М	G	N	F	N	F	J	Х	N	K	G	L	Y
H	Е	L	L	0	Т		I		I		Α		Ι		H	E	

A quick look at what was decoded so far suggests that it says something like **HELLO THIS IS A** so you can confirm it by encoding the letters **H** and **S** to confirm.

Un	encry	pted	V	alue			7*x	x+9		7*x	x+9 n	10d 2	6		Encr	ypteo	1			
	H			7			5	8			6				(G				
	S			18			13	35			5		F							
That	confi	rms t	he gi	iess,	so we	e fill t	hem	in.												
G	Г	I	I	D		М	G	N	F	N	F		J		Х	N	K	G	Г	Y
H	Е	L	L	0		Т	Η	I	S	I	S		Α			I		Н	Е	

Looking at the next most frequent characters, we have **R L** and **D**, so we calculate them.

Unencrypted	Value	7*x+9	7*x+9 mod 26	Encrypted
R	17	128	24	Y
L	11	86	8	I
D	3	30	4	Е

Only one of those letters are in the key giving us:

G	L	I	Ι	D	Μ	G	N	F	N	F	J	Х	N	K	G	L	Y
H	Е	Г	Г	0	T	H	I	ខ	Ι	S	Α		I		H	E	R

As this point you have gotten all but two of the letters. By the current rules, this would count as a correct solution with two letters wrong and you could leave it and go on, or you could guess some more or continue down the list of the frequency table. For now, it looks like those last two letters might be a **C** and **P** respectively, so we can test that quickly.

Unencrypted	Value	7*x+9	7*x+9 mod 26	Encrypted
С	2	23	23	Х
Р	15	114	10	K

Which confirms our guess giving us a final solution of:

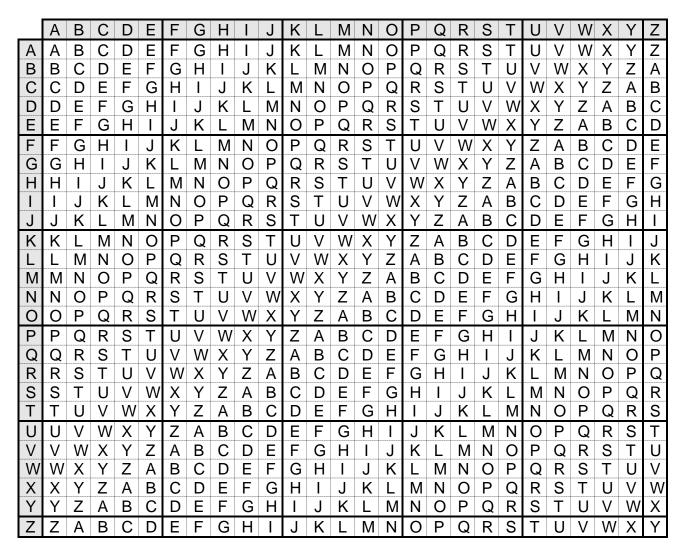
			0.041	8400	0 81 1	ing a	<i>j</i> u 111	141 50	1001	1 01.									
G	L	I	I	D		М	G	N	F		N	F	כו	х	N	K	G	L	Y
											~ ~								

H	E	L	L	0		Т	Н	I	S		Ι	S		Α		С	Ι	Р	H	E	R
---	---	---	---	---	--	---	---	---	---	--	---	---	--	---	--	---	---	---	---	---	---

11. Vigenère cipher



A Vigenère cipher uses a repeating key in order to apply a different Caesar cipher to each letter in the group. The typical mapping table looks like this.



To encrypt any phrase, you need to first pick a code key.

Then you repeat the code phrase as many times as necessary to cover the entire plaintext that you wish to encode. Note that for any characters what aren't encoded (like spaces and punctuation marks) you pretend that they aren't there and just use the next code phrase character with the next character to encode.

Plaintext:	SCIENCE	OLYMPIAD	CODE	BREAKERS
Key:	CEASERC	EASERCEA	SERC	EASERCEA
Ciphertext:	UGIWRTG	SLQQGKED	USUG	FRWEBGVS

To encode, all you need to do is take the character from the plaintext and the corresponding character from the key and look them up in the column and row of the mapping table. In this example for the first character, you have a Plaintext of \mathbf{S} and a Key of \mathbf{C} . Look in the \mathbf{S} row and the \mathbf{C} column to find the letter \mathbf{U} . Note you can use the \mathbf{S} column and the \mathbf{C} row and you will get the same result. You repeat this process for each of the letters in the Plaintext.

To decrypt, you need to do the reverse, BUT instead of using the letters as the row and column header, you use the corresponding key to find the row or column and then find the corresponding ciphertext character in that column (or row) and use the matching header as the decryption key. So, in this case with a Ciphertext of **U** and a

key of **C** you go to the column labeled **C** and look down until you find the letter **U** and then find the corresponding row header to see that it is the letter **S**.

12. Porta cipher

A Porta cipher works very much like the Vigenère cipher uses a repeating key in order to apply a different mapping to each letter in the group. The biggest difference is that it uses a different mapping and that there are only 13 different possibilities. Note that there are other options for the Porta table, but we are using the ACA convention for the table (https://www.cryptogram.org/downloads/aca.info/ciphers/Porta.pdf).

COnven	lion	101	uie	la0.		mp	<u>5.// v</u>	<u>v w v</u>	<u>v.ci</u>	ypu	Jgra	<u>III.</u>	<u>ng/u</u>
Keys	A	в	С	D	Е	F	G	H	I	J	к	L	м
A,B	Ν	0	Ρ	Q	R	S	Т	U	V	W	Х	Y	Ζ
C,D	0	Ρ	Q	R	S	Т	U	V	W	Х	Y	Ζ	Ν
E,F	Ρ	Q	R	S	Т	U	V	W	Х	Y	Z	Ν	0
G,H	Q	R	S	Т	U	V	W	Х	Y	Ζ	Ν	0	Р
I,J	R	S	Т	U	V	W	Х	Y	Ζ	Ν	0	Ρ	Q
K,L	S	Т	U	V	W	Х	Y	Ζ	Ν	0	Ρ	Q	R
M,N	Т	U	V	W	Х	Y	Ζ	Ν	0	Ρ	Q	R	S
Ο,Ρ	U	V	W	Х	Y	Ζ	Ν	0	Ρ	Q	R	S	Т
Q,R	V	W	Х	Y	Ζ	Ν	0	Ρ	Q	R	S	Т	U
S,T	W	Х	Y	Ζ	Ν	0	Ρ	Q	R	S	Т	U	V
U,V	Х	Y	Ζ	Ν	0	Ρ	Q	R	S	Т	U	V	W
W,X	Y	Ζ	Ν	0	Ρ	Q	R	S	Т	U	V	W	Х
Y,Z	Ζ	Ν	0	Ρ	Q	R	S	Т	U	V	W	Х	Y
<u> </u>	· c·			•1		C /1	р		•	1	· .1	. 1	

One significant attribute of the Porta cipher is that letters in the A-M range will map to a letter in the N-Z range and vice-versa. In many ways, this makes the cipher easier to break with only a few clues.

Plaintext:	SCIENCE	OLYMPIAD	CODE	BREAKERS
Key:	PORTA PO	RTAPORTA	PORT	APORTAPO
Ciphertext:	LWQNAWY	GULITHRN	XWGZ	RVKZWXYKK

Another interesting attribute of the Porta cipher is that it is 100% reversable. Encrypting the Ciphertext with the same key results in the Plaintext.

To decrypt, you take the letter from the key and use it to determine the row in the porta table. Then you look at the corresponding letter to encode/decode. If the letter is in the A-M range, you use the row at the top to determine the column and pull the corresponding letter out of the selected row. If the letter is in the N-Z range, you find the column in the selected row and then look at the top to find the corresponding character. For example, with the first two letters, we take the P as the key and L as the Cipher text character. We look at

For example, with the first two letters, we take the P as the key and L as the Cipher text character. We look at the next to the last column which starts with the L and then go down to the \bigcirc , \square row to see the letter S. For the second letter, we have \bigcirc as the key and \square as the Cipher text character. We look in the same \bigcirc , \square row and scan over until we see the letter \square in the third data column. We look to the header cell at the top and see that the letter \square as the decoded character.

12.a. Cryptanalysis of a Porta Cipher

The following quote has been encoded with the Porta Cipher using a very common four letter word for the key. The 30^{th} through 33^{rd} cipher characters (**YVIH**) decode to be **EANS**

HHUWI PUWHE GCUAK BSUAW IHOCP LKBSY VIHCZ M

We start by first filling in what has been given to us as the clue.

HHUWI PUWHE GCUAK BSUAW IHOCP LKBSY VIHCZ M

E ANS

Using the porta table, we need to determine what the key characters are. We start with the cipher text \mathbf{Y} which decodes to be \mathbf{E} . Since \mathbf{E} is in the A-M range, we look for the E column in the table and the scan down until we find the \mathbf{Y} . From there we look at the row header and find that it corresponds to \mathbf{O} , \mathbf{P} so we will put an \mathbf{O} above the \mathbf{Y} as the keyword since both \mathbf{O} and \mathbf{P} decode to the same thing.

O QKW HHUWI PUWHE GCUAK BSUAW IHOCP LKBSY VIHCZ M E ANS

We repeat this process. Next, looking in the **A** column for a **V** we find that it corresponds to **Q**, **R**. When we get to the Cipher text **I** decoding to **N** we have to change our strategy of lookup because **N** is in the N–Z range. Instead of looking in the **N** column (which doesn't exist in the table) for an **I**, we look in the **I** column for an **N** and find it in the **K**, **L** row. This is an important attribute of the Porta Cipher being reversable. You will always notice that any character that is in the A–M range will map to something in the N–Z range. This means when looking up the letters, you need to pay attention to which is in a and use it for the column and then find the other value (which will be N–Z) to determine the correct row. As such it is often easier to think about the cipher character and the plaintext character as a pair and always order it alphabetically. This way it becomes faster to look them up. We can look up the last **H/S** pair to come up with the **W**, **X** row by finding the **S** in the **H** column. This gives us the following:

O QKW HHUWI PUWHE GCUAK BSUAW IHOCP LKBSY VIHCZ M E ANS

We now have a couple of options. Since we are told that the key is a four letter word, we could try to figure out what it is by counting to find out where the word split would start. Since it starts at the 30^{th} character, we do a quick 30 mod 4 of it to find out that the O would be the second character. This means that the W would be the first character because the keyword repeats. Putting them in order and including the alternates in the pairs (W, XO, PQ, RK, L) it doesn't take a rocket scientist to see that the four letter word must be **WORK**.

WOQK

XPRL

With that in mind we can just start from the beginning and fill in the keyword

WORKW ORKWO RKWOR KWORK WORKW ORKWO RKWOR K HHUWI PUWHE GCUAK BSUAW IHOCP LKBSY VIHCZ M E ANS

This technique works really well when you aren't given enough letters for the keyword, for example, if it was a 5 letter keyword and we were only given four clue letters. But if you are told how many letters were in the keyword, you can simply ignore figuring out the keyword and just start filling in forwards and backwards.

So if we didn't try to figure out the keyword, but we have four of the four letters, we just put the W in front of the **O** over the **S**, the **K** before that, **Q** and so on repeating until we get to the start.

WOQKW OQKWO QKWOQ KWOQK WOQKW OQKWO QKW HHUWI PUWHE GCUAK BSUAW IHOCP LKBSY VIHCZ M E ANS

Then you also fill in from the \mathbf{W} on to the end

WOQKW OQKWO QKWOQ KWOQK WOQKW OQKWO QKWOQ K HHUWI PUWHE GCUAK BSUAW IHOCP LKBSY VIHCZ M E ANS

Next comes decoding the ciphers. With the keyword, you can go much faster as you have the row to work from. The easiest way to do this is to attack all of the cipher characters which use the same encoding letter. We can start with the \mathbf{W} and look at the row of the table to make it easy for us.

Keys	A	в	С	D	Е	F	G	н	I	J	к	L	М
W,X	Y	Ζ	Ν	0	Ρ	Q	R	S	Т	U	V	W	Х

With this in mind, we find all of the ones under a W and map them. The H column header has an S in the W, X row. I gets us a T. Another H maps again to S. When we get to the U, we have to do the reverse and find the column it is in giving us a J. When we see the S, we remember that H mapped to S earlier, so we do the reverse. Another I gives us the T again. For the P we have to find the column header for the P in the W, X row which is E. Another S is an H and we end up with:

WOQ	KW	OQKWO	QKWOQ	KWOQK	WOQKW	OQKWO	QKWOQ	Κ
HHU	IW	PUWHE	GCUAK	BSUAW	IHOCP	LKBSY	VIHCZ	Μ
S	Т	S	J	H	T E	HE	ANS	

Now that one letter is done, we proceed to the O row which is

Keys	A	в	С	D	E	F	G	H	I	J	к	L	М
Ο,Ρ	U	V	W	Х	Y	Z	Ν	0	Ρ	Q	R	S	Т

We follow the same strategy. This time the **H** column maps to **O**. We find the **P** in the **I** column. **E** maps to **Y**. The **A** column gives us **U**, and the fortunate next **U** is the reverse giving us an **A**. Another **H** maps to **O**. **S** is in the **L** column, and the last **C** column gives us **W**

WOQI	W	OQI	KWO	QKWOQ	KWOQK	WOQK	W	OQ	KWO	QKWOQ	Κ
HHUV	II	PUV	NHE	GCUAK	BSUAW	IHOC	Ρ	LK	BSY	VIHCZ	Μ
SO	Т	I	SY	JU	HA	TO	E	S	HE	ANSW	

Looking at what we have so far, a couple of words are obvious at the end so we fill them in.

W	OQK	W	OQKWO		QKWOQ	KWOQK	WOQKW		OQKWO		QKWOQ	K
H	HUW	II	PU	WHE	GCUAK	BSUAW	IHOC	P	LF	KBSY	VIHCZ	Μ
S	0	Т	Ι	SY	JU	HA	ТО	Е	S	THE	ANSWE	R

We still have more to solve, so next we take the **Q**, **R** row

Keys A B C D E F G H I J K L M

Q,R V W X Y Z N O P Q R S T U

Looking up **U** finds it in **M** column and the next one is exactly the same – you should be able to see the benefit of doing all one row at a time now. The **G** column gives us **O**, followed by the **K** column that gives us **S**. Continuing on, the **A** column gives us **V**, and since we know **G** gave us **O**, we just enter **O** for **G** to find another **K** that we already mapped to **S**. This gives us a mostly complete one at:

WOQKW OQKWO QKWOQ KWOQK WOQKW OQKWO QKWOQ K HHUWI PUWHE GCUAK BSUAW IHOCP LKBSY VIHCZ M SOM T IM SY O JUS HAV TOG E S THE ANSWE R

At this point, some of the letters are obvious. It must start out as **SOMETIMES** and the **JUS? HAV?** Must be **JUST HAVE**. That only leaves the **C** mapped by the **K**, **L** row which we can either leave blank (don't forget the up to two wrong rule) or look it up and see that it is a **U**.

WOQKW OQKWO QKWOQ KWOQK WOQKW OQKWO QKWOQ K HHUWI PUWHE GCUAK BSUAW IHOCP LKBSY VIHCZ M SOMET IMESY O JUS THAVE TOGUE SSTHE ANSWE R

Now that everything is done, you can see that the cipher decoded to be:

SOMETIMES YOU JUST HAVE TO GUESS THE ANSWER

13. Baconian



13.a. General Baconian strategies

There are two forms of a Baconian: 24 and 26 character. Science Olympiad uses the 24-character form, and the corresponding Baconian table will be provided as a resource for the test and looks like this:

AAAAA	Α	AABBA	G	
AAAAB	В	AABBB	Н	
AAABA	C	ABAAA	I/J	
AAABB	D	ABAAB	K	
AABAA	E	ABABA	L	
AABAB	F	ABABB	М	

Ν		BAA
0		BAA
Р		BAE
Q		BAE
R		BAE
S		BAE
	O P Q R	O P Q R

BAABA	Т
BAABB	U/V
BABAA	W
BABAB	Х
BABBA	Y
BABBB	Ζ

- 1. The first step is to identify the type of Baconian.
 - A letter for letter will generally have a random set of patterns such as:
 - A Pattern Baconian will have a general repeating set of symbols like: HellŏHelloHelloHĕllŏHĕlloHĕlloHelloHĕllo
 - A Word Baconian will have a semi-readable sentence like:

I SAID GO SAY A SONG UNTIL ONLY A SNAKE WAKES UP TOO

2. Break the pattern into groups of 5. One thing to be aware of is that a Baconian cipher may have nulls. An example of this is:

WHĘŃ IN THÉ CÓÚRŞÉ ÓF HÚMĄŃ ĘVÉŃŢŚ IŢ BÉCÓMÉŚ

In this case, only the characters with accents are part of the Baconian alphabet.

- 3. For the first two types, you need to identify what corresponds to an **A** or a **B**. A key factor to remember for all Baconian ciphers is that if you look at the table, no Baconian letter starts with BB. As such in any group of 5 if the first two letters are the same, you know that they must stand for an **A**.
- 4. Another way to identify which is **A** and which is **B** is to count the number of each type. The **A**'s will greatly outnumber the **B**'s
- 5. Also, a sequence of 5 characters all the same must be composed of all A characters and correspond to the plain text letter A.

13.b. Letter for Letter Baconian

Counting is your best friend here. If you can identify two different types of symbols, then you will be able to pick what is A and what is B. Sometimes it is a bit complicated. For example, the 2018 NC State test had a Baconian like:

↑±ヘシシシ┼シテ±↓シ±↑シシ↓シ±↓シ↓±シ⊼シ↓シテ↑ヘシ±↑シシテシヘ↓⊼↓↑シシシシヘシ

This contains several obvious options to consider here:

- 1. Up vs down: ↑↑ヽヽヽ ↓±ゝ⊻
- 2. Straight vs Angled: $\uparrow \bar{\uparrow} \downarrow \downarrow \land \bar{\land} \lor \downarrow$
- 3. Line vs No Line: $\uparrow \downarrow \checkmark \checkmark \quad \overline{\uparrow} \downarrow \overline{\checkmark} \checkmark$

The first step is to break it into groups of 5

```
ϯ϶ϚͶϪͺͺͺϷͶϯϷͿϫͺͺͺͶϫ϶ϯͶϫ϶ͺͶͺͺϫϫͶϲϔͺϫͺͺͺϫϒϯϒϫͺͺͺϫϫϒϲϫͺͺͺͺϫϒͶϫϫͺͺͺϒͶͶ϶ϲ
```

Next for the groups of 5 take a small set and identify the type of character. Since we have three possibilities, we should write the options down to distinguish them:

ududd ddudd ddddd dddud dduuu ddudd ududu duddd udddu ssaaa sasss assaa sassa ssaaa sassa assaa saasa ssaaa aaasa

nlnnl nnlln nlnnl nnlnn nlnll nnlnn nlnnl lnnnl nnnnl nnnln

Looking at the second set, we see groups that start bout as **ss** and **aa** which means we can immediately reject that option without any further looking.

For the second set we see that the second word starts with **dd** which would mean **d=A**. A quick lookup of the first few letters:

ududd ddudd ddudd dddud babaa aabaa aabaa aaaaa aaaba W E E A C

Comes out as **WEEAC** which seems productive, so we quickly try the last choice. Since we see a group that starts out as **nn**, we must conclude that **n=A** and quickly try out the first few letters to discover that they come out as gibberish with **KGK**.

nlnnl nnlln nlnnl abaab aabba abaab K G K

13.c. Pattern Baconian

Pattern Baconian ciphers are attacked in the same manner as for the Letter for Letter Baconian. For example, if we had:

ITS CŎĹD OŬTSIDE IŤS ČŎLĎ OŬTSIDE ITŠ COLD OŬTŜĬDE ITS CŎĹD OUTSĬĎE ĬŤŠ CŎLD OUTSIDE ITS ČOĹD OŬTSĬDE ITS CŎLD OŬTSIDE ĬTS ČOLD OŬŤŜIDE ĬŤŠ COĹD OŬTSIDĔ ITS Č

It is quite apparent that the accented vs non-accented characters indicate the difference. A quick counting shows that only 10 out of the first 31 characters are accented which gives up accent=**B**. Applying this logic and

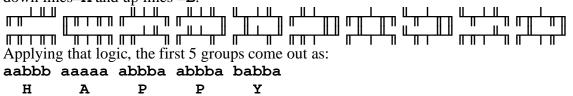
breaking up into groups of 5 we get which starts out to decode as **STAY WARM**.

BAAAB BAABA AAAAA BABBA BABAA AAAAA BAAAA ABABB

S T A Y W A R

Another style may be symbols such as were encoded in a tweet. Fortunately, in this case they are grouped into sets of 5. A quick look at the group shows the second group where all the lines are pointing down. Furthermore, counting them shows that 20 out of the first 35 characters are point down which is a strong indication that the down lines= \mathbf{A} and up lines = \mathbf{B} .

Μ



13.d. Word Baconian

The strategy for attacking a Word Baconian is slightly different. There will be multiple letters which map to **A** and **B**. For example, given the sample below with a hint that it starts out as **EVER**:

Maria built movie house badly.

Super quick clock wrong.

Board loose since chase begun

Music buyer being movie extra.

Heavy urban tower built worse since Maria began visit.

The first step is to map the letters that we know.

```
Maria built movie house
AABAA BAABB AABAA BAAAA
```

```
E V E R
```

With that, we build a table showing what the letters all map to

A B C D E F G H I J K L M N O P Q R S T U V W X Y Z

A B	А	B A	B A	А	B A B A

Looking at the table, we see that it starts out as **AB** and under **RSTU** we have a run of **BABA**. The most logical pattern in this case would just be alternating **A** and **B** mappings. A quick check of the next word **badly** maps it as **BA?B?** and if our guess is right, it is **BABBA** which maps to **Y** making our phrase start out as **EVERY**. Filling in the rest of the table gives us:

А BCDE F G H I K L M N O P J Q R S Т U V W X Y Ζ A B A B A B A B A B A B A B A B A B A B A B А В A B which we can use to decode the reminder of the phrase.

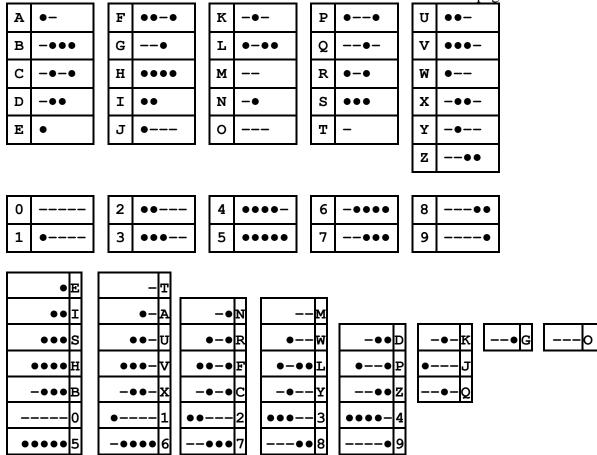
Note that it is very unlikely that the pattern will be as simple as **ABAB**... but it is reasonable to expect a pattern. Some additional techniques that you can use:

- 1. Even if there weren't a pattern (or you can't figure out the pattern), you can fill in the table by looking for groups of 5 that you know 4 of the mappings and identifying the possible letter choices which make sense in the decrypted text.
- 2. If you know one of the first two letters in a group are a **B**, (i.e., it starts out as **B**? or **?B**) then you can guarantee that the other letter maps to an **A**.

14. Morbit



The Morbit cipher uses Morse Code to encode the text. There will be a Morse code table in forward and reverse on the resources page:



14.a. A Morbit problem to solve

For example, given the following cipher text to decode of and being told that it starts out as CODE:

99232572585158186858

The first thing to do is to map out what **CODE** would be in Morse code. Note that we use X to represent spaces. -.-.x--x-..x.

Next, we split it up into groups of 2 and map it to the cipher text

9 9 2 3 2 5 7 2 We then build a table of mapping for what we know:

??	-X		??		??	х.	??	
1	2	3	4	5	6	7	8	9
	unon	ouna	u uon	01 11	mppn	16 101	minut	

Based on the crib, we know the mapping of 5 of the 9 characters and are left looking for .-, .x, -x and xx.

9 9 3 2 2 8 5 8 1 8 6 2 5 7 5 1 5 8 5 8 X- .. ?? .. ?? .. ?? ?? ?? ?? ?? ?? ?? Х-Х-. . х. С 0 D Е

Looking at the next letter in the sequence, we know that it starts out as -.. and that 8 must have an X in it (otherwise you would have at least 7 characters in a row without an X. Since we only have -X and XX left we can try them both.

in).

First	First with $8=-\mathbf{X}$ we get																			
	9	9	2	3	2	5	7	2	5	8	5	1	5	8	1	8	6	8	5	8
			х-		х-	••	х.	х-	••	-X	••	??	••	-X	??	-x	??	-X	••	-X
	С		0		D		E	Х			?		?		?		?		U	
Whic	Which doesn't seem likely, particularly with the U at the end																			
With	8= . X	we	get																	
	9	9	2	3	2	5	7	2	5	8	5	1	5	8	1	8	6	8	5	8
			х-		х-	••	Х.	х-	••	. X	••	??	••	. X	??	. X	??	. X	••	. X
	С		0		D		Ε	в			?		?		?		?		S	
Whic	h look	s pr	omis	sing	and t	ells	us th	at 1	must	be e	ithe	r the	rema	ainin	g –X	c or X	XX , s	o we	e try	-x
	9	9	2	3	2	5	7	2	5	8	5	1	5	8	1	8	6	8	5	8
			х-		х-	••	х.	х-	••	. X	••	-X	••	. X	-X	. X	??	. X	••	. X
	С		0		D		Ε	в			U		S		т	Е	?		S	
Based	d on th	is, t	he or	nly l	ogica	ıl ch	oice	for 6	ó is to	be be	. – v	vhicł	1 giv	es us	5					
	9	9	2	3	2	5	7	2	5	8	5	1	5	8	1	8	6	8	5	8
			х-		х-	••	х.	х-	••	. X	••	-x	••	. X	-X	. X	. –	. X	••	. X
	С		0		D			в			-		-		т				S	
Whic	h mea	ns o	ur ta	ble e	ends	-		ow (4 wa	sn't	used	and	XX	was l	left o	ver s	so w	e get	to p	ut that
1	2	3	4	5	6		7	8	9											

1 2 3 4 5 6 7 8 9 -X X- -- XX .. .- X. .X -.

15. Pollux



A Pollux cipher is like a Morbit cipher, using the same Morse Table which should be on the resources page:

Ar	onux cipi	EL	15 1	IKE a
A	•-		F	••-
в	-•••		G	•
С	-•-•		H	•••
D	-••		I	•
Е	•		J	•

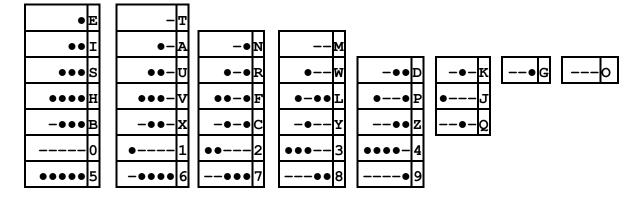
•-•	к	-•-
-•	L	•-•
•••	М	
•	N	-•
	0	

Р	••	υ	••-
Q	•-	v	•••
R	•-•	W	•
S	•••	х	-••
т	-	Y	-•-
		Z	•

8

9

0		2	••	4	••••-	6		
1	•	3	•••	5	••••	7	•••	



15.a. A Pollux problem to solve

Someone has encoded a phrase using the Pollux cipher and told you that 2,3 are Dots, 5,6 are Dashes and 8,9 are spaces (x). What does it say?

12059811012278473374491805946698143393935026296198313 0455866718756946591628223037761517666963203

15.b. Background on Solving Pollux

The Pollux cipher works by first converting the text into Morse code which is written as a series of dots (\bullet), dashes (–), and spaces. To make it more convenient to solve, we typically represent the spaces as an ×. A single space is used at the end of a Morse code letter and a pair of spaces is used at the end of a word. The person encoding the text then decides with digits will stand for dots/dashes/spaces with no restriction on that choice. For example, all the spaces could be represented by a 2, all of the dots by a 1 and all the other digits stand for a dash. Given the mapping of the digits, the Morse code is translated to the cipher text by picking a digit for the dash/dot/space. Since more than one digit can stand for a dash/dot/space, the encoding can choose whatever digit they would like.

Decoding a Pollux applies the process in reverse. It starts by mapping the known digits to their corresponding dot/dash/space and looking for complete Morse code characters. A complete Morse code character is one where an uninterrupted series of dots/dashes are delimited by a space. For example: $\bullet \bullet \bullet \times$ at the beginning represents the very familiar letter S (three dots). Finding $\times \bullet \times$ in the middle would represent the letter I (two dots).

However, if we had $\times \bullet \times$ (with an unmapped digit after the dot), we wouldn't know what the plain text is until we figured out the mapping for the digit.

With that in mind, the strategy for solving a Pollux consists of a set of steps:

1) Build a table of the possibilities for the digits.

	0	1	2	3	4	5	6	7	8	9
ĺ										

- 2) Fill in the table with the known mappings and then just put ●-× for everything else since we don't know what they map to.
- 3) Underneath the digits of the cipher, fill in the known mappings with the corresponding Morse code character (●, −, ×).
- Solve. As digits are eliminated, removed them from the possibility table and fill in known mappings under the cipher text. One special case that makes it easier to solve. If you eliminate × as a possibility, leaving ● or –, filling in the corresponding cipher spot with ? makes it easier to find places where a × belongs.

Some good solving rules that help quickly solve a Pollux

- 1) The first character will never be an \times . If the cipher digit at the start could map to an \times , you can eliminate that choice.
- 2) There will never be three spaces (×××) in a row. Hence if you find a cipher digit that is tripled, you know that it can't map to a ×.
- 3) Also looking for three spaces, if you have digits that already map to \times and either have a doubled digit next to it which is unknown or \times next to an unknown, you can eliminate \times from that unknown.
- 4) No Morse letter is more than 4 dots/dashes and all numbers are exactly 5 dots/dashes. If there is a sequence of 6 characters with an unknown and all the remainder are known to be a dot/dash (●-?) then you know that the unknown must be a ×.
- 5) Not all sequences of 4 dots/dashes are legal Morse characters. (●●—, ●–●–, —–●, and —––). If you have a pattern that would map to it, you know that you can eliminate it.

15.c. How to solve

Since we are told the mapping of 235689 ciphertext, we can build the following table:

Since we are told	the mappin	<u>g of 2356</u>	689 ciph	ertext,	we can build	the followin	g table:	
0 1	2 3 4	5 6	7 8	8 9				
●× ●×	• • • ->	× - -	•-× ×	< ×				
Based on that Info	rmation we	e can map	the cip	her tex	t as:			
120598110	122784	7337	4491	8059	9466981	4339393	3502629	6198313
• -××	•• ×	••	×	× ->	×××	••וו	●- ●-●×	- xxe e
/				/	Е		/	
045586671	875694	6591	6282	2303	3776151	766696	3203	
X	xx	x	-•ו	•• •		×_(
~								
^					-			
The first Morse co					-			
		er can nev	ver be ar	n×,]			
	de characte	er can nev	ver be ar	n ×, 8 9				
0 1	$\begin{array}{c c} \hline \text{ode characte} \\ \hline 2 & 3 & 4 \\ \hline \bullet & \bullet & \bullet - \end{array}$	er can nev 5 6 <	ver be ar 7 8 •-× >	n ×, 9 < ×				
0 1 ●-× ●-	$\begin{array}{c c} \hline & \\ \hline \\ \hline$	er can nev 5 6 \times e can map	ver be ar 7 8 $\bullet - \times \rightarrow$ o the cip	$\begin{array}{c c} \mathbf{h} \times, \\ \mathbf{g} & \mathbf{g} \\ \mathbf{g}$	t as:	4339393	3502629	6198313
0 1 ●-× ●- Based on that Info 120598110	ode characte 2 3 4 $\bullet \bullet \bullet - \Rightarrow$ ormation we 122784	er can nev 5 6 < – – e can map	ver be ar 7 8 $\bullet - \times \rightarrow$ \bullet the cipit 4491	n ×, 9 × × her tex 8059	t as: 9466981			
$ \begin{array}{c c} 0 & 1 \\ \bullet -x & \bullet - \end{array} $ Based on that Info	ode characte 2 3 4 $\bullet \bullet \bullet - \Rightarrow$ ormation we 122784	er can nev 5 6 < – – e can map	ver be ar 7 8 $\bullet - \times \rightarrow$ \bullet the cipit 4491	n ×, 9 × × her tex 8059	t as: 9466981	••ו×		
0 1 ●-× ●- Based on that Info 120598110	ode characte 2 3 4 $\bullet \bullet \bullet - \times$ \bullet 122784 $? \bullet \bullet \times$	er can nev 5 6 < e can map 7337 $\bullet \bullet$	ver be ar 7 8 $\bullet - \times >$ \bullet the cip 4491 \times ?	$\begin{array}{c c} 1 \times, \\ \hline 9 \\ \hline 0 \times \\ 8059 \\ \hline x - \end{array}$	t as: 9466981 ×××? /	••וו E	0 - 0 - 0 ×	

--x-- ?x --x --x?-•x••• • -?-? ---x-•• •

At this point in time, 4 ciphertext characters still need to be mapped. Looking at the ciphertext, we see the sequence 449 which would result in three \times s in a row if 4 were an \times .

$\begin{array}{c c c c c c c c c c c c c c c c c c c $
Based on that Information we can map the cipher text as:
12059811012278473374491805946698143393935026296198313
<pre>?• -xx?? ?•• x? •• ??x?x -x?xx??••x•x•- •-•x-?xx•?•</pre>
/ E /
0455866718756946591628223037761517666963203
?x ?xx?x?-●x●●● ● -?-?x-●● ●
At this point in time, 4 ciphertext characters still need to be mapped. Based on the sequence 350262 with 0
possibly being one of $\bullet -\times$, only \times results in a legal Morse code character, so we can mark 0 as being \times . 0 1 2 3 4 5 6 7 8 9
Based on that Information we can map the cipher text as:
12059811012278473374491805946698143393935026296198313
?•x-xx??x?•• x? •• ??x?xx-x?xx??••x•x•-x•-**-?xx•?•
T/ /T / EAR /
0455866718756946591628223037761517666963203
x?x ?xx?x?-•x•••x• -?-?x-••x•
S D E
At this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to •– we simply try
SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet - we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARN S.
At this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to •– we simply try
SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet - we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARN S.Trying - for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet 0 1 2 3 4 5 6 7 8 9 \times \bullet \bullet \bullet $ \times$ \times
SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet - we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARN S.Trying - for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet 0 1 2 3 4 5 6 7 8 9 \times \bullet <t< td=""></t<>
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SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet – we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARN S. Trying – for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet 0 1 2 3 4 5 6 7 8 9 \times \bullet \bullet $ \times$ \times Based on that Information we can map the cipher text as:12059811012278473374491805946698143393935026296198313 $\bullet \times - \times \times \oplus \times \oplus \times \oplus \times \oplus \times \oplus \oplus \oplus \oplus \oplus \oplus \oplus \oplus$
SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet - we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARN S. Trying $-$ for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet 0 1 2 3 4 5 6 7 8 9 \times \bullet \bullet $ \times$ \times Based on that Information we can map the cipher text as:12059811012278473374491805946698143393935026296198313 $\bullet \times - \times \times \bullet \oplus \times \bullet \oplus \times$? \bullet ?? $\times \bullet \times - \times ? \times \times \bullet ? \bullet \bullet = \times - \bullet = \times \bullet \bullet \bullet \bullet$ IT/IE/T/E A RN / S
SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet - we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet Trying - for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet 0 1 2 3 4 5 6 7 8 9 \times \bullet </td
SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet - we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARN S. Trying – for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet 0 1 2 3 4 5 6 7 8 9 \times \bullet \bullet \bullet $ \times$ \times Based on that Information we can map the cipher text as:12059811012278473374491805946698143393935026296198313 $\bullet \times - \times \times \bullet \bullet \times \bullet \times ?$ \bullet ??ו××-×?×ו?••ו• \bullet
SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet – we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARN S. Trying – for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet $\boxed{0 \ 1 \ 2 \ 3 \ 4 \ 5 \ 6 \ 7 \ 8 \ 9}}{\times \ 0 \ - \ - \ - \ - \ - \ - \ - \ - \ -$
SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet - we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARN S.Trying - for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet 0 1 2 3 4 5 6 7 8 9 \times \bullet
SDEAt this point in time, 3 ciphertext characters still need to be mapped. Since 1 can still map to \bullet – we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 1 gives us a chunk: EARN S. Trying – for 1 gives us a chunk: EARM R. Which means we know that 1 must map to \bullet $\boxed{0 \ 1 \ 2 \ 3 \ 4 \ 5 \ 6 \ 7 \ 8 \ 9}}{\times \ 0 \ - \ - \ - \ - \ - \ - \ - \ - \ -$

Based on that Information we can map the cipher text as:

12059811012278473374491805946698143393935026296198313

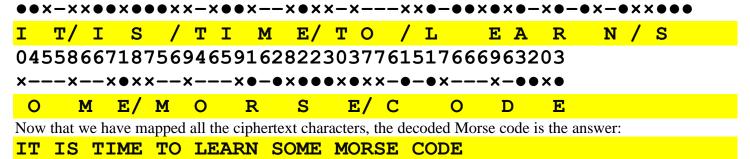
••	×-××	• • × • •	•××	?×●●×?'	?ו×>	<-×?∙	××	•?••	וו-	-ו-	•×-•×ו••	
I	т/ ј	C S	/	I	E/	Т	/		ΕA	R	N/S	
04	55866	57187	7569	465916	28223	3037	7615	1766	69632	203		
x?	x	-xex×	<×	?ו-	•ו••	xex	×-●-	•×	-x-••	•ו		
	М	E/	М	R	S	E/	С	0	D	Е		

At this point in time, 1 ciphertext characters still need to be mapped. Since 4 can still map to \bullet - we simply try them and look at the first word or two to see if it makes sense. Trying \bullet for 4 gives us a chunk: IT IS EIIE TW HEARN SWME MWRSE COD. Trying – for 4 gives us a chunk: IT IS TIME TO LEARN SOME MORSE CODE. Which means we know that 4 must map to –

0	1	2	3	4	5	6	7	8	9
×	•	•	•	-	-	_	×	×	×

Based on that Information we can map the cipher text as:

12059811012278473374491805946698143393935026296198313



16. Fractionated Morse



A Fractionated Morse cipher is a combination between a Pollux/Morbit and the K1/K2 alphabet from an Aristocrat. It is important to understand how they are encoded in order to be able to quickly decode them.

The first step is to pick a keyword and construct the alphabet. For example, if the keyword were DULCIMERS, then the alphabet is constructed by removing any duplicate letters in the phrase (of which we have none) and then adding the remainder of the alphabet in order after it. We end up with:

DULCIMERSABFGHJKNOPQTVWXYZ

Placing them into the table to map the morse characters we get:

D	U	L	С	Ι	Μ	Ε	R	S	Α	В	F	G	Η	J	Κ	Ζ	0	Ρ	Q	Т	V	W	Х	Υ	Ζ
•		•	ullet	•	•	•	•	ullet	•	Ι	Ι		Ι	-	Ι	Ι		×	×	×	×	×	×	×	х
•	•	•	Ι	-	Ι	×	×	х	•	•	•		Ι	-	×	×	×	•	•	•		-		×	×
•	Ι	×	•	-	×	•		х	•	Ι	×	•	Ι	×	•	Ι	×	•	Ι	×	•	-	×	•	Ι

From this we can see that **D** will correspond to $\bullet \bullet \bullet$ to and **E** will correspond to $\bullet \times \bullet$. Since the letter **Z** was not used in the keyword, it ends up mapping to $\times \times -$.

Given this, we can then encode a simple phrase such as CODEBUSTERS by first converting it to Morse code:

Next we take the morse code and break it into groups of 3 padding with \times as necessary, but in this case we got lucky and didn't need any padding. We can then look up the groups of 3 in the table above to generate the cipher text. We already knew that $\bullet \bullet \bullet$ is **D** to and $\bullet \times \bullet$ is **E** with the others pretty quick to look up.

С	0		D	Ε	в	U		S	Т	ER		S
-•-	•×-	x	-••	ו×	-••	●×●	•-×	$\bullet \bullet \bullet$	x-x	●×●	-•×	•••
в	R	J	Α	т	Α	Е	М	D	х	Е	F	D

As you should be able to see, the key to solving a Fractionated Morse cipher is to figure out the keyword and recognizing the patterns in the remainder of the alphabet after the keyword. For example if you lean that **N** is $-\times$ and **Q** is $\times \bullet$ then you immediately know that since there are two slots between them and likewise two letters, you know the mapping of **O** and **P**.

16.a. Solving a Fractionated Morse cipher

Someone has encoded a phrase using the Fractionated Morse cipher and told you that it ends with **EARS**. What does it say?

KMUPKSGHPDWWKDMUVDHVIZSRKPGBILTVORTNLJMXXEWOMIRDBQIVGCKQ QIS

•	٠	•	•	•	٠	٠	•	•	٠					-			-	×	×	×	×	x	×	×	×
٠	٠	•	-	-	-	×	×	×	•	•	•	-	-	_	×	×	×	•	•	•	-	-	-	×	×
•	—	×	•	—	×	٠	1	×	٠		×	۲	1	×	•		×	٠	1	×	٠		×	۲	—

The first step is to covert the **EARS** phrase to morse code and break it into groups of three.

$\bullet \times \bullet - \times \bullet - \bullet \times \bullet \bullet \bullet$

Since the cipher text ends in KQQIS we immediately see that since all four groups of three are different, there is no way it will map which means that there must be one or two \times at the end. Generating the two versions adding the \times at the beginning and the end gives us

?x• x•- x•- •x• ••x

 $\times \bullet \times \bullet - \times \bullet - \bullet \times \bullet \bullet \bullet \times \times$

We can see that the one with a single \times at the end has a repeated pattern of $\times \bullet -$ which gives us the mapping:

 $? \times \bullet \times \bullet - \times \bullet - \bullet \times \bullet \bullet \times$

S

KQQI

allows us to fill in the table:

					-			1 1		-		1 1		<u> </u>		-	<u> </u>		-	
					S										0	ז				
				• •	•	• •	• •	• •	• -	_	- -	—	- -		\times >	< ×	\times	\times	××	(\mathbf{x})
				• •	•			××	• •	•		_	$\overline{\mathbf{v}}$	<	•	•	_			(X
						-							-							
				• -	×	• -	×	$ - \times$	• -	×	• -	×	• -	- ×	• -	- ×	•	- 2	×	
TF	3.6		-	T	-	~	~			-			T.7	T .	-	T.2		-		
K	Μ	U	P	r	`	S	G	H	•	P	D		W	V		K		D		Μ
?×●	222	???	221	227			(77)	222	22	22	22	22	22	22	22	22	• ?	?'	22	22
• • • -	•••	•••	•••	• • •			•••	•••	••	•••	••	•••	•••	•••	•	••	- •	•	•••	••
IJ	v	D	ц	٦	7	т	Z	C	1	D	r		D	C	<u> </u>	в		т		Т.
0	v	ש	п	V		┸	2	5	-	n.	ц		E	Ċ	7	Б		┸		ш
???	???	???	???	???	??(??'	?••	x?'	??	?×	•?	??	???	??	??'	?●	X	?	??
т	v	0	R	Г	٦	N	т.	J	· 1	M	Х		x	F		W		0		М
	-	-		_	-			-										Ŭ		
???	<u>???</u>	<u> ???</u>	???	???	??'	???	???	???	??'	??	??	??	??	???	??	??'	??	?'	??	??
I	R	D	В	C)	Ι	V	G	. (С	K		Q	Ç)	Ι		S		
					-									-	-			-		
$\bullet \times \bullet$???	???	???	?ו) – (•??	???	??	??	?×	θ×	• -	- X () – (••		×	
												F.	Α		R		S			
												ى	n		Г		D			

The first thing that we can do is determine where \mathbf{K} is since we know two of the morse characters. As $\mathbf{?} \times \mathbf{0}$ it can be one of $\mathbf{0} \times \mathbf{0}$, $-\mathbf{\times} \mathbf{0}$, or $\mathbf{\times} \mathbf{\times} \mathbf{0}$. However since we already know that I maps to $\mathbf{0} \times \mathbf{0}$, we are left with two choices. Given the position of Q near the end of the list and S already being used, we are left with 8 characters (**RTUVWXYZ**) to take up the 6 slots after it including $\mathbf{\times} \mathbf{0}$ which means that where \mathbf{K} must be $-\mathbf{\times} \mathbf{0}$ so we can fill it in and update the cipher:

		S				Ι									К				Q						
•	٠	•	•	•	•	•	•	•	•	_	-	_	-	-	-	-	_	×	×	×	×	×	×	×	×
•	٠	•	-	_	-	×	×	×	•	•	•	_	-	-	×	×	×	•	•	•	-	_	-	×	×
•	-	×	۲	I	×	۲	I	×	۲	I	×	۲	-	×	•	I	×	۲	I	×	۲	I	×	۲	-

K	Μ	U	Ρ	K	S	G	H			W	W	K	-	
-×●		???	???	-×●	• • ×	???	???	???	???	????	????	-×●	???	???
т					S									
U	V	D	H	V	I	Z	S	R	K	Ρ	G	В	I	L
???	????	???	???	???	•ו	???	• • ×	???	-ו	???	????	???	●×●	???
Т	v	0	R	Т	N	L	J	М	Х	Х	Е	W	0	М
???	????	???	???	???	???	???	???	???	???	????	????	???	???	???
I	R	D	в	Q	I	v	G	С	K	Q	Q	I	S	
●×●	???	???	???		•ו	???	???	???	-ו		-ו-	• x •	••×	
				R					E		R	S		
Next				of nath	ns to te	ake. V	Ve cou	ild ass	ume f	hat z	doesn'	't appe	ar in t	the keyword and map it to
	we hav	ve a co	Jupie (Ji pau	10 10 10									
××–			-	-							and the			
	- . We	can al	so not	tice the	at the	cipher	starts	with	the let	ter T :		e next	morse	e character is a \bullet which words to start a phrase. This
	•. We ens to b	can al	so not	tice the	at the	cipher	starts	with	the let	ter T :		e next	morse	e character is a \bullet which
happe gives	•. We ens to b us	can al be the	so not first p	tice that art of	at the the le	cipher tter H	starts with T	with HE be	the let	ter T : ne of t	he mos	e next st com	morse imon v	e character is a \bullet which words to start a phrase. This
happe gives K	•. We ens to to us M	can al be the U	so not first p P	tice that art of K	at the the let S	cipher tter H G	starts with T H	with HE be	the let eing of D	tter T and the of t	he mos W	e next st com K	morse imon v D	e character is a ● which words to start a phrase. This M
happe gives K −×●	•. We ens to b us M	can al be the \mathbf{U} $\times \bullet \times$	so not first p P	tice that art of K $- \times \bullet$	at the the let $S \\ \bullet \bullet \times$	cipher tter H G	starts with T H	with HE be	the let eing of D	tter T and the of t	he mos	e next st com K	morse imon v D	e character is a ● which words to start a phrase. This M
happe gives K −×● T H	•. We ens to b us M ••••	can al be the \mathbf{U} $\mathbf{\times} \bullet \mathbf{\times}$ E	so not first p P ???	ice that art of $\mathbf{K} = \mathbf{K} \mathbf{S}$	at the let $S = S$	cipher tter H G ;???	starts with T H ???	with the best of t	the let eing of D	tter T and of t W	he mos W ????	e next st com \mathbf{K} $\mathbf{-} \times \bullet$	morse imon v D ???	e character is a • which words to start a phrase. This M
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happe gives K $-\times \bullet$ T H U $\times \bullet \times$ E	•. We ens to b us M •••• V x???	can al be the V ו× E D ???	so not first p ???? H ????	ice that art of $K = - \times \bullet$ V ???	at the let S = S = X I = X = S S = X = X S	G G G C C C C C C C C C C C C C C C C C	• starts with T H ??? S •●●×	with P P ???? R ????	the let eing of \mathbf{D} $\mathbf{???}$ K \mathbf{K} $\mathbf{V} - \mathbf{X} \bullet$	ter T and of t W ???? P ????	• he mos W ???? G ????	e next st com $K = - \times \bullet$ B ????	morse umon v ???? I ●×●	 character is a • which words to start a phrase. This M •••• L ????
happe gives K $-\times \bullet$ T H U $\times \bullet \times$	•. We ens to b us M • • • •	can al be the U ×●× E D	so not first p P ??? H	ice that art of $K = \times \bullet$ S = V	at the the let $S = S$ I = S	G G C C C C C C C C C C C C C C C C C C	starts with T H ??? S S •●●×	with P P ???? R	the let eing of D ???? K $P - \times \bullet$	The of the of the of the of the of the off the	W Y???? G Y??? E	e next st com $K = - \times \bullet$ B ??? W	morse imon v P ??? I	 e character is a • which words to start a phrase. This M •••• L
happe gives K $-\times \bullet$ T H U $\times \bullet \times$ E	•. We ens to b us M •••• V x???	can al be the V ו× E D ???	so not first p ???? H ????	ice that art of $K = - \times \bullet$ V ???	at the let S = S = X I = X = S S = X = X S	G G G C C C C C C C C C C C C C C C C C	• starts with T H ??? S •●●×	with P P ???? R ????	the let eing of \mathbf{D} $\mathbf{???}$ K \mathbf{K} $\mathbf{V} - \mathbf{X} \bullet$	The of the of the of the of the of the off the	W Y???? G Y??? E	e next st com $K = - \times \bullet$ B ????	morse umon v ???? I ●×●	 character is a • which words to start a phrase. This M •••• L ????
happe gives K -ו T H U ו× E T ???	•. We ens to b us M ••••• V a???? V ????	can al be the V ×●× E D ??? O ???	so not first p P ??? H ??? R ???	ice that art of K −×● S V ??? T ???	at the the let $S = S = X$ $I = E$ $N = 2$	G G C C C C C C C C C C C C C C C C C C	starts with T H ??? S ●●× J ???	with PHE be ???? R ???? M ●●●●	the let eing of P??? K P-ו X ????	rter T : ne of t W ???? P ???? X ????	he mo: W ???? G ???? E ????	R St com K -×● B ??? W ???	morse umon v ???? I ●×● O ????	 character is a • which words to start a phrase. This M •••• L ????
happe gives K -ו T H U ו× E T ???	•. We ens to b us M •••• V ???? V ???? R	can al be the V ×●× E D ??? O ??? D	so not first p ??? H ??? R ??? B	ice tha art of K −×● S V ??? T ??? Q	at the the let $S = S = X$ $I = X$ $S = X$ S	G G C C C C C C C C C C C C C C C C C C	starts with T H ??? S ●●× J ??? G	with P PHE be ???? R ???? M ●●●●	the let eing of D ???? K -ו X ??? K	The of the of the of the of the of the off the	•he mos • • • • • • • • • • • • •	E next st com K -×● B ??? W ??? I	morse umon v ???? I ●×● O ???? S	 character is a • which words to start a phrase. This M ••• L ??? M •••
happe gives K -ו T H U ו× E T ???	•. We ens to b us M ••••• V a???? V ????	can al be the V ×●× E D ??? O ??? D	so not first p ??? H ??? R ??? B	K art of K −×● S V ??? T ??? Q ×●−	at the the let $S = S = X$ $I = X$ $S = X$ S	G G C C C C C C C C C C C C C C C C C C	starts with T H ??? S ●●× J ??? G	with P PHE be ???? R ???? M ●●●●	the let eing of D ???? K $2-\times \bullet$ X 2??? K $2-\times \bullet$	tter \mathbf{T} ne of t \mathbf{W} \mathbf{P} \mathbf	he mo: ₩ ???? G ???? E ???? Q -×●-	e next st com K $-\times \bullet$ B ??? W ??? I	morse mon v P ??? I ●×● O ??? S ● ● ×	 character is a • which words to start a phrase. This M ••• L ??? M •••
happe gives K -ו T H U ו× E T ??? I •ו	We ens to b us M ••••• V ???? R •???	can al be the V × • × E D ??? O ??? D ???	so not first p P ??? H ??? R ??? B ???	ice tha art of K -×● S V ??? T ??? Q ×●- R	at the the let $S = S \times O$ $I = S \times O$ $S = S \times O$	G G C C C C C C C C C C C C C C C C C C	starts with T H ??? S ●●× J ??? G	with P PHE be ???? R ???? M ●●●●	the let eing of D ???? K $2-\times \bullet$ X 2??? K $2-\times \bullet$	The of the of the of the of the of the off the	•he mos • • • • • • • • • • • • •	E next st com K -×● B ??? W ??? I	morse mon v P ??? I ●×● O ??? S ● ● ×	 character is a • which words to start a phrase. This M ••• L ??? M •••
happe gives K -ו T H U ו× E T ??? I •ו	•. We ens to b us M •••• V ???? V ???? R	can al be the V × • × E D ??? O ??? D ???	so not first p P ??? H ??? R ??? B ???	ice tha art of K -×● S V ??? T ??? Q ×●- R	at the the let $S = S \times O$ $I = S \times O$ $S = S \times O$	G G C C C C C C C C C C C C C C C C C C	starts with T H ??? S ●●× J ??? G	with P PHE be ???? R ???? M ●●●●	the let eing of D ???? K $2-\times \bullet$ X 2??? K $2-\times \bullet$	tter \mathbf{T} ne of t \mathbf{W} \mathbf{P} \mathbf	he mo: ₩ ???? G ???? E ???? Q -×●-	e next st com K $-\times \bullet$ B ??? W ??? I	morse mon v P ??? I ●×● O ??? S ● ● ×	 character is a • which words to start a phrase. This M ••• L ??? M •••

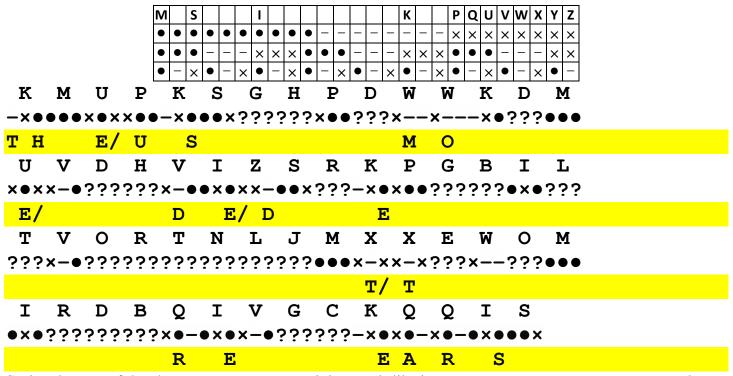
Μ		S				—									Κ				Q	U					
•		•	•	•	\bullet	•	•	•	•	-	-	-	-			-	-	×	×	×	×	×	×	×	×
•	•	•	-		Ι	×	×	×	•	•	•		-		×	×	×	•	•	•				×	×
•	١	×	•	_	X	٠	Ι	х	•	Ι	×	•	-	х	٠	-	×	٠	-	×	•	-	x	•	-

This turns out to be a really big break since we can see can assume that **QU** is not part of the keyword and the remaining 5 slots correspond to the last 5 letters in the alphabet after **U**. This gives us a table below that fills in a lot of the cipher:

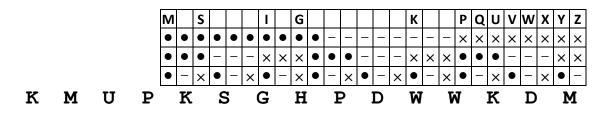
Ν	Л		S				Ι									Κ				Q	U	V	W	Χ	Y	Ζ
		۲	•	۲	•	•	•	•	ullet	•					Ι	Ι		Ι	х	х	×	×	×	х	х	×
		•	•	Ι			×	×	х	•	•	•			Ι	х	×	х	•	•	•		Ι	Ι	х	×

			•	• - ×	• -	ו	- x •	- x	• - ;	× • -	×	- x	• - ×	(• –
K	Μ	U	Ρ	K	S	G	H	Ρ	D	W	W	K	D	Μ
-ו	•••	ו×	???	-×●	• • ×	???	????	???	??×	×		ו?	??•	$\bullet \bullet$
тн		Е		S						M	0			
U	V	D	H	V	I	\mathbf{Z}	S	R	Κ	Ρ	G	в	I	L
ו×	×−●	???	???	×−●	●×●	××-	• • • ×	???	-ו	???	???	???	•ו	???
E/					E	/ D)							
Т	V	0	R	Т	N	L	J	Μ	Х	Х	Ε	W	0	М
???	×−●	???	???	???	???	???	????	•••	×-×	×-×	???	×	???	
									Т/	Т				
I	R	D	в	Q	I	V	G	С	K	Q	Q	I	S	
•ו	???	???	???	ו-	•ו	×-•	???	???	-ו	ו-	ו-	• × •	••×	
				R	E				E	Α	R	S		

This also leads to another lucky discovery since we believe that **THE** is the first word, we can guess that **P** must start with an \times , there is only one slot left and it happens to be right before the letter **Q** which strengthens our guess:

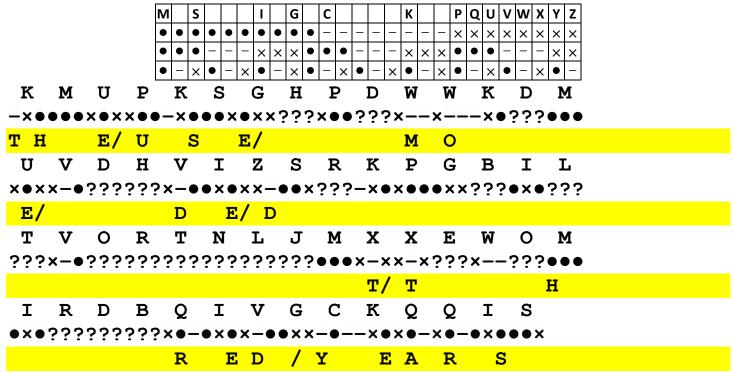


Seeing the start of the phrase as **THE US**? certainly sounds like it starts out **THE USE**, so we can assume that **G** maps to $\bullet \times \times$. Filling that in gives us:

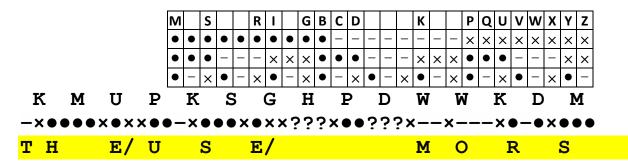


- ×●	•••	ו×	ו•	-×●	••>	< • × ×	???	ו•	???	×	×	-ו	???			
т н		E/	U	S		E/				Μ	0					
U	V	D	H	V	Ι	Z	S	R	K	Ρ	G	в	I	L		
ו×	×−●	???	???	×−●	•ו	××–	• • ×	???	-×●	ו•	•××	???	• × •	???		
E/				D	I	e/ D			E	S	/					
Т	V	0	R	Т	N	L	J	М	Х	Х	Ε	W	0	М		
???	×−●	???	???	???	???	????	???	•••	×-×	×-×	???	×	???			
									т/	Т				H		
I	R	D	в	Q	Ι	V	G	С	K	Q	Q	I	S			
•ו	???	???	???	ו-	•ו	•×−•	•××	???	-ו	ו-	ו-	•ו	••×			
				R	I	E D	/		E	Α	R	S				

Looking at the end, we have a word that ends in **EARS** and has either four morse symbols ending in - or is two letters. A quick look at the four symbol morse characters ending with - gives us either **V J** or **Y** with **YEARS** being a very good choice. Filling the mapping for **C** gives us:

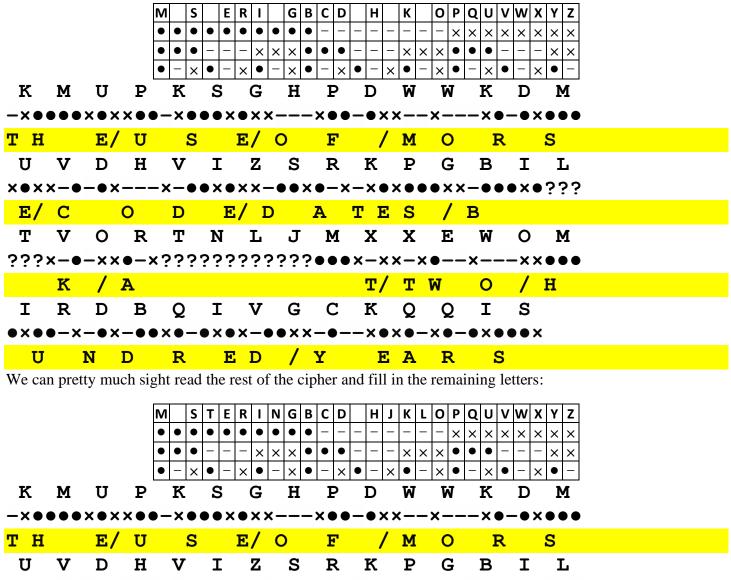


Also seeing the **H???RED YEARS** only leaves us with one word that fits there – **HUNDRED YEARS** – so we get the mapping of a few more letters:



U	v	D	н	v	I	Z	S	R	K	Ρ	G	в	I	L		
ו×	×-•	- ●×	???	×−●	•ו	××–	• • ×	<•->	<-×●	ו•	•××	-••	•ו	???		
E/	С			D	E	/ D		A	ТЕ	S	/	B				
Т	v	0	R	Т	N	L	J	Μ	Х	Х	Ε	W	0	Μ		
???	×−●	?××	•-×	???	???	???	???		●×-×	×-×	(???	×	·?x>	<		
									Т/	Т			/	H		
I	R	D	В	Q	I	v	G	С	K	Q	Q	I	S			
●×●	•-×	-•×	-••	ו-	• × •	×−●	•××	<-•-	ו	ו-	-ו-	• * •	•••>	<		
U		N	D	R	E	D	/	Y	E	Α	R	S	5			

This tells us that O must map to $? \times \times$ and since G already maps to $\bullet \times \times$ it only leaves $- \times \times$ for O which is conveniently right next to P. (Remember that $\times \times \times$ isn't mapped to anything). As we fill that in, we see T?O HUNDRED YEARS at the end which could only be TWO HUNDRED YEARS giving us the mapping for E. Likewise MORSE C?DE must be MORSE CODE:



E/	С		0	D	E	/ D		A	ТЕ	S	/	B	Z	A C		
Т	V	0	R	Т	N	L	J	Μ	Х	Х	Ε	W	0	Μ		
●-●	×−●	-××	•-×		•×	-×	>		×-×	×->	< •	×	-x>			
	K	/	A	L	M	0		S	Т/	Т	W	0	/	H		
I	R	D	в	Q	I	V	G	С	K	Q	Q	I	S			
•ו	•-×	–●×	-••	ו-	•ו	×-•	•××	<-•-	ו>	× • -	-ו-	• × •	••>	¢		
U		N	D	R	E	D	/	Y	E	Α	R	S				

This gives us the mapping of every letter except A and F and we can see that the keyword would have to be **MASTERING**.

Μ	Α	S	Т	Ε	R	I	Ν	G	В	С	D	F	Η	J	К	L	0	Ρ	Q	U	V	W	Х	Υ	Ζ
•	۲	۲	•	ullet	ullet	۲	•	۲	۲	I	—	I	I	-		I	Ι	×	×	×	×	×	×	×	×
•	•	•	-	Ι	Ι	×	×	×	•	•	•		-	-	×	×	×	•	•	•	-	-	-	×	×
•	—	×	•	-	×	•	—	×	•	_	×	•	_	×	•	-	×	•	_	×	•	—	×	•	-

17. Cryptarithm



17.a. General Solving Rules

In general, the strategy for an Aristocrat is: Fill in letters from any clues you are given Look for single letter words which will generally be **A** or **I** Check the frequency. The most common letters in English are **ETAOIN**. Look for contractions (**DON'T**, **DOESN'T**) Look for two and three letter words Look for patterns "**IT IS**" and "**THAT**" are good ones Look for double letters

A much more detailed guide can be found on Puzzle Baron's Cryptograms site at <u>https://cryptograms.puzzlebaron.com/tutorial.php</u>

17.b. Solving a Cryptarithm

SOCIAL	social		
+ SOLAR	solar	24687	95310
VEHICLE	vehicle		

	0	1	2	3	4	5	6	7	8	9
S										
0										
L										
Α										
R										
т										
М										
Ρ										
N										
Е										

	0	1	2	3	4	5	6	7	8	9
S										✓
0										
С										
I										
Α										
L										
R										
v		>								
Е	✓									
Н										

Immediately we know that \mathbf{V} must be **1** because you can only carry a single digit from the previous column addition. Furthermore, since there is only one digit in the previous column, it must be a **9** in order to carry from the column before that which means that the first two digits of the final result must be **10** telling us the mappings of \mathbf{V} and **E**. We can mark that in the table.

SOCIAL 9ocial <u>SV</u> + SOLAR 9olar 24687 95310 VEHICLE 10hicl0

Some quick observations we can learn from what we have filled in so far:

In the first column we have: **L+R=10** which because of the numbers already mapped can only be **2+8**, **3+7** or **4+6** in either order.

In the second column we add the carry from the first column to **A+A**

giving us L which must be odd. Based on what we learned in the first column, we know that \mathbf{L} must be either 3 or 7 which means \mathbf{A} must be one of 1, 3, 6 or 8. We can quickly try all 4 options

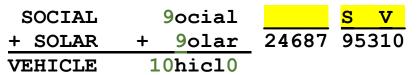
A=1 won't work since **V=1** already

For **A=3** we end up with **L=7**, but **L+R=10** means that **R** would also be **3** so we can't use that.

For **A=6** we have **L=3** which forces **R=7** which means it is a possibility.

For **A=8** we get **L=7** which forces **R=3** leaving it as a possibility.

Either way we know that either L or R is 3 and the other is 7 and that A must be either 6 or 8, so we mark it in the table. We also know that since A > 5 there is a carry into the next column



With the next column, we know that (carry from previous column) 1+I+L=C. Since L must be either 3 or 7 and I and C are both limited to only five possible values, we look at the ten possible combinations to see which work.

L	Ι	1+I+L=C	Notes
3	2	6	
3	4	8	
3	5	9	S=9
3	6	(carry)0	E=0
3	8	(carry)2	
7	2	(carry)0	E=0
7	4	(carry)2	
7	ъ	(carry)3	C≠3
7	6	(carry)4	
7	8	(carry)6	

Immediately this eliminates C=5 and I=5 leaving only H or O to be 5.

With H and O in mind, we notice that (possible carry)+O+9=H (with a carry). This tells us that O>H and that either O-1=H or O-2=H depending on the carry from the previous column. Since one of them must be 5 we either have O=5 and H=4 or H=5 and O=6. This means that there can not be a carry from C+O and C+O<9.

With this information in hand, we fill in our table and eliminate quite a few options:

S

0 C I

Α

L

R

v

E | ✓

н

 \checkmark

0 1 2 3 4 5 6 7 8 9

SOCIAL	9ocial
+ SOLAR	+ 9olar
VEHICLE	10hicl0

<mark>____</mark> <u>S_V</u> 24687 95310

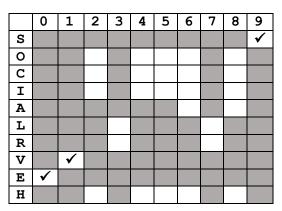
The only column we haven't looked at is the (possible carry from previous column+)C+O=I. Taking into account what we learned with the I+L column and knowing that there are only two possible values for I and 4 possible values for C or I we can test them out quickly in a table.

С	0	Carry+C+O=I	Notes
2	5	8	
2	6	9	S=9
4	5	(carry)0	E=0
4	6	(carry)1	V=1
6	5	(carry)2	
6	5	(carry)3	I≠3
8	5	(carry)3	I≠3
8	6	(carry)4	

Since we previously determined

that C+O<9 this tells us that the only possible answer is that C=2, O=5 and I=8. Since we know what when O=5, H=4 we can fill that in too.

This leaves A=6 as the only option. Previously we also determined that for A=6, L=3 and R=7 which gives us the final table and we can fill in the letters for the answer.



 \checkmark

SOCIAL	952863	CHAIR SOLVE
+ SOLAR	+ 95367	24687 95310
VEHICLE	1048230	

	0	1	2	3	4	5	6	7	8	9
S										✓
0						✓				
С			✓							
I									✓	
Α							✓			
L				✓						
R								✓		
v		✓								
Е	✓									
н					\checkmark					

18. Sometimes an Aristocrat or Patristocrat Tap Code Cipher Div A

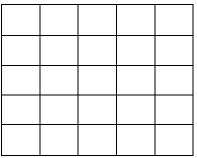
The Tap Code cipher is an easy cipher to remember and can be solved in two ways. One way is to write down the letters in a table and then use the sets of taps to look up the entry in the table. The other way is to remember five letters and solve it on the fly.

18.a. A Tap Code Cipher to decode

Your friend just gave you this message written in a Tap Code Cipher. What does it say?

18.b. Solving a Tap Code Cipher it with a table

The first thing to do is create a table to map the letters. Just draw a grid of 5x5 boxes:



Then fill in the table with the letters A-Z remembering that C and K go into the same spot. You can also put numbers across the rows and columns to aid in decoding.

	1	2	3	4	5
1	А	B	CK	D	E
2	F	G	Н	Ι	J
3	L	Μ	N	0	Р
4	Q	R	S	Т	U
5	V	W	Х	Y	Z

With the table in hand, the next step is to count the number of taps and group them in sets of 2

•••	• •	••••			•••••	••• ••	••• •			•••••
3	1/1	5	/4	4	/4	3 /2	3 /1	1/5	1/:	15
••••		• •••	••••	•••		•••• ••	• ••••	••••	•••	•••
4	3	/3	4	/3	2 /1 5	/2	1/4	5	/3	3

It is important that the count ends with a pair of two numbers. If there is only one, then carefully go back and find where a set got skipped.

With the numbers in hand, it is a matter of using the first in the pair to look up the row and the second to pick the column and then put the letter in place:



3	1/1	5	/4	4	/4	3	/2	3 /1	1/5	1/:	15
L	E		Т		S		H	A	V	1	E
•••	• ••	• ••	• •••	• •••	•• •	••••	• ••	• ••••		•• •••	•••
4	3	/3	4	/3	2 /1	5	/2	1/4	5	/3	3
S		Ο		Μ	E		F	U		N	

This gives us the answer, The only thing that you may have to do is choose whether something was a C or a K based on the word.

18.c. Solving a Tap Code Cipher on the fly by remembering 5 letters

Another way to solve pretty quickly without the table is to remember the five letters in the first column: **AFLQV** Just start with the first set and put the letters under each tap until you get the end. Then for the next set, you start with the letter you ended up with and advance it for each one.

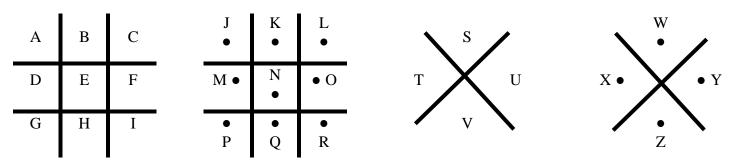
••• • •	•••••	••••	••••	•• •••	• • ••••	• • • • • • •
AFL L A	ABCDE A	FLQ QRST	ALFQ QRS	AF FGH	A A AFLQ	V A ABCDE
L	E	Т	S	H	A	V E
					FLQ QRSTU	
			I E			N

The last letter in each set is the one to use. Once again, you may have to change a C to be a K based on the word.

19. PigPen/Masonic Cipher



The PigPen cipher is an easy cipher requires remembering a simple setup in order to create the key. With that key, decoding is just looking up the symbols in the key. All the students need to do is create two tic-tac-toe grids and two X grids and then fill them in with the alphabet putting dots on the second of the grids as so:



19.a. Solving A PigPen Cipher

Given this simple cipher to solve:

<u> 301030 >ηγν ιγηρο</u>γ

The symbols can be decoded by looking at the letters in the corresponding spot in the grids. The first symbol \Box corresponds to the left center of the first grid, hence the letter **D**. The next symbol \Box Corresponds to the center of the first grid giving us the letter **E**. The next \bot is the upper right for the letter **C**. With the fourth letter \boxdot we have a dot in it, so the letter comes from the second grid in the right middle for the letter **O**. The next two are repeats of the first to leaving us with **DECODE** so far.

שבנשם >חרע גרחחםה <mark>Decode</mark>

The second word starts with > which corresponds to the left half of the cross for the letter \mathbf{T} . This is followed by $\Pi \Gamma$ which is **HI**. Lastly we have V which corresponds to the letter **S** giving us **THIS** for the second word.

JOLCJO >NEV LENNOF <mark>decode this</mark>

The same pattern repeats for the last letters resulting in

	$> \square \Gamma \lor$	
DECODE	THIS	CIPHER

20. Hints for your team

- Get your calculators early (they are inexpensive) so that the students become comfortable with them. Note that they may NOT use a standard scientific calculator used at other Science Olympiad events.
- Watch the twitter feed <u>@NCSO_cb</u> (<u>https://twitter.com/NCSO_cb</u>)
- Do the Practice Exams.
- Pay attention to question scores to decide what to do.
- Take advantage of the 2-letter mistake rule to speed up. If you are down to two letters on an Aristocrat and you are sure of the answer, move on to the next question.
- The Timed question is critical.
- Make Practice Samples.
- Use a pencil and paper and the online tool.
- Learn to guess! Sometimes a quick guess gets you to a result faster. It is ok to backtrack if it doesn't work out.
- Split out the test among students.
- Bring pencils and erasers. Note that highlighters are legal and useful.
- Practice, Practice, Practice!
- Have Fun!

21. A strategy for Coaching

A good way to build a team is to start out with a few of the simpler ciphers in order to give the kids an early success. If you meet regularly, it helps to make a small test with a couple of ciphers that are new for that meeting. There are plenty of examples out there to draw from, building a sample test from the thousands of questions that are already out there means you don't have to know how to write the test, just find examples you like. Also if you use the <u>toebes.com/codebusters</u> site to build the test, you can use the Answers and Solutions output to guide you in solving many of the ciphers.

For Division B and Division C, it is useful to a timed question at the start of the test and treat the first 10 minutes of the meeting time as an actual timed test, starting the timer promptly at the meeting time. This gets the team into the mode of how they would have to operate at an actual event and working together as a team. If you have both a varsity and a JV team, letting them compete against one another to see who gets the timed question first is a good motivator.

Having a few extra questions on the test gives the team something to go home and work on at their own pace and then be able to ask about solutions at the next meeting time. Below are some suggested orderings for teaching the ciphers to the team. Note that you may want to reorder them based on the interest level of the kids and their experience. In general, the strategy is to start with simple successes and then build on those learnings getting to harder ciphers.

It is also important to have a discussion about picking what ciphers to solve. Sometimes it is faster to do several low scoring problems than to do one high value problem. Ultimately scoring is a time management problem as it isn't expected that they can solve all the ciphers on the test. The team should learn to pick the ones that have the highest return for their skills.

Don't ignore the special bonus questions. Solving two of them gives a bonus which equals a typical hard problem and three of them is almost double that.

21.a. Division A

- 1. **PigPen/Masonic** This is such a fun cipher for them to play with. It is easy to learn the decoding table and looks like secret writing for them.
- 2. **Caesar** This is a simple letter shift of only three letters.
- 3. Atbash Another simple cipher where A maps to Z and vice-versa. There are only 13 letter mappings.
- 4. Tap Code Another fun cipher that requires only memorizing a couple of letters
- 5. **Aristocrat** Once they understand the mapping of Atbash, they get to learn about random mappings and letter frequencies. Keep the examples simple with lots of hints at first to get them going.
- 6. Vigènere This is just like the Caesar except that the shift is controlled by the keyword.
- 7. **Dancing Men** Another fun symbol substitution. Fortunately the character mapping is on the resource page so they don't have to memorize them, but it helps to know a few of the characters to make it go faster.

21.b. Division B

- 1. Aristocrat Starting out with something that should be familiar to them is a great introduction. Since this is also the timed question and will be the first question on the test it is good to get practice at it. The how to solve guide at Cryptograms.org is a good guide for the discussion.
- 2. **Caesar and Atbash** These are the simple substitution ciphers that look like an Aristocrat, but are pretty easy to solve.

Div A

Div B

- 3. **Porta** A table-based cipher with a keyword. There are only 13 possible table mappings, but it does take a little learning to map the **A**–**M** vs the **N**–**Z** letters.
- 4. **Symbol Baconian** A different form of table mapping. Start with a simple one symbol for A and a different symbol for B. Then progress to multiple letter mappings
- 5. Aristocrat K1/K2 Keywords When you have a K1/K2 keyword, it can often assist in solving an Aristocrat. Learn about guessing where the keyword might be and filling in obvious alphabet letters.
- 6. **Patristocrat** –This is not much different from the Aristocrat, except that all the spaces are gone. As a result, many of the word patterns don't work, but you can look for obvious words and high frequency letters. Since all Patristocrats are going to have a K1 or K2 keyword, this builds on the previous learning.
- 7. **Pollux** and **Morbit** These are a great introduction to Morse Code and work very much the same with the only difference being the number of morse characters a digit stands for.
- 8. Fractionated Morse This builds on the Pollux and Morbit as well as the K1/K2 keywords.
- 9. Word Baconian This uses the same baconian table, except that multiple letters stand for A and B. The key is to figure out what pattern was used to construct the A/B table.
- 10. Affine A completely math-based cipher. You can ignore the math and solve the cipher as an Aristocrat, but there is no guarantee that a letter can't map to itself.
- 11. **Rail Fence** The only transposition cipher. All the letters are there, they just need to learn how they are mixed up.
- 12. **Cryptarithm** This can be introduced at any time that the kids are interested. This is more math and logic
- 13. **Xenocrypt** The rules are the same as for an Aristocrat, but the phrase is in Spanish. It will typically be a K1 or K2 alphabet and most test creators use phrases with lots of cognates to make it easier.

21.c. Division C

- 1. Aristocrat Starting out with something that should be familiar to them is a great introduction. Since this is also the timed question and will be the first question on the test it is good to get practice at it. The how to solve guide at Cryptograms.org is a good guide for the discussion.
- 2. **Porta** A table-based cipher with a keyword. There are only 13 possible table mappings, but it does take a little learning to map the **A**–**M** vs the **N**–**Z** letters.
- 3. **Symbol Baconian** A different form of table mapping. Start with a simple one symbol for A and a different symbol for B. Then progress to multiple letter mappings
- 4. **Aristocrat K1/K2 Keywords** When you have a K1/K2 keyword, it can often assist in solving an Aristocrat. Learn about guessing where the keyword might be and filling in obvious alphabet letters.
- 5. Aristocrat K3 Keywords While the K3 keyword doesn't necessarily help in solving, learning how to recover a K3 keyword is important.
- 6. **Patristocrat** –This is not much different from the Aristocrat, except that all the spaces are gone. As a result, many of the word patterns don't work, but you can look for obvious words and high frequency letters. Since all Patristocrats are going to have a K1 or K2 keyword, this builds on the previous learning.
- 7. **Pollux** and **Morbit** These are a great introduction to Morse Code and work very much the same with the only difference being the number of morse characters a digit stands for.
- 8. Fractionated Morse This builds on the Pollux and Morbit as well as the K1/K2 keywords.
- 9. Word Baconian This uses the same baconian table, except that multiple letters stand for A and B. The key is to figure out what pattern was used to construct the A/B table.

- 10. Hill 2x2 A completely math-based cipher. This is an opportunity to learn matrix math and how to efficiently do mod 26 on the calculator.
- 11. **Rail Fence** The only transposition cipher. All the letters are there, they just need to learn how they are mixed up.
- 12. **Cryptarithm** This can be introduced at any time that the kids are interested. This is more math and logic
- 13. **Xenocrypt** The rules are the same as for an Aristocrat, but the phrase is in Spanish. It will typically be a K1 or K2 alphabet and most test creators use phrases with lots of cognates to make it easier.
- 14. **Hill 3x3** Very similar to the Hill 2x2 except that it is a larger math matrix. This only needs to be learned for States/National competitions.

22. Resources

<u>https://www.sciencenc.com/resources/high-school/codebusters/</u> – The main NC Science Olympiad site. Cipher Tools

- <u>https://toebes.com/codebusters/</u> has lots of tools for writing exams and solving ciphers.
- <u>http://www.gregorybard.com/cryptogram.html</u> includes practice problems and suggested textbooks.
- <u>http://www.cryptograms.org/tutorial.php</u> One of the best tutorials for solving Aristocrats.
- <u>http://www.dcode.fr/tools-list#cryptography</u> Has a lot of tools for encoding/decoding ciphers.
- <u>https://quipqiup.com/</u> Solves any Aristocrat or Patristocrat.

Practice Sample resources

- <u>http://www.cryptogram.org/</u> is the website of the American Cryptogram Association (ACA) if you are looking for even more resources or a fun organization to join. Note: I am a member of the ACA and ACA members will be contributing questions for the test and helping run the event.
- <u>http://cryptograms.org/</u> Puzzle Baron's site with tons of Aristocrats
- <u>http://www.cryptoclub.org/</u> Has sample ciphers to practice on
- <u>https://www.brainyquote.com/quotes/topics.html</u> Is a great source of quotes to encode. Keep in mind the length of the quotes, however.

23. Creating a test

You can use the template from one of the tests on at <u>https://toebes.com/codebusters/</u> and just replace the questions with your own. An overview of using the tool can be found at https://www.youtube.com/watch?v=pcz_3ql8ebM

23.a. For Aristocrats/Patristocrats

1. Search for Quotes/Phrases to use. Ideally you want something inspirational, topical or science related. A good quote will have around 20 words and about 100-120 characters. They should have a good distribution of letters nominally matching the standard frequency of English letters:

E	Т	AO	NIR	SH	LD	CUPF	MWY	BGV	KQXJZ
13%	9%	8%	7%	6%	4%	3%	2%	1%	-

Table 1 - Frequency of English Letters

The tool automatically checks the phrase and gives a basic idea of difficulty based on a chi-square comparison to the English Frequency. Phrases that start with it is, have multiple occurrences of the or contain the words these, there, little or people tend to be easier. You will also want some samples which have repeated words to use for test questions providing hints. It is good to avoid quotes which are unattributed or by anonymous to allow the author of the quote to serve as an extra hint.

2. Using the Patristocrat or Aristocrat tool <u>https://toebes.com/codebusters/AristocratEncrypt.html</u> (Figure 1) as appropriate, enter the text for the cipher as well as the number of points and the text for the question.

← → C 🔒 https://toebes.com/codebusters/AristocratEncrypt.html?cipherType=aristocrat	☆ ♀ ♦ 🛛 🔒 :
Science Olympiad CodeBusters	Search
Aristocrat Encoder	
Points 200	
Question Text Solve this Aristocrat	
Language English	v
Plain Text	
Alphabet Type Random K1 K2 K3 Save Randomize Undo Reset Chi-Square Value=19 [Easy] Length=25 [Too Short]	
Note: Plain Text is on top line , Cipher Text is <mark>highlighted</mark>	
KAFE FE N ENHLOC KI EIOWC THIS IS A SAMPLE TO SOLVE	
A B C D E F G H I J K L M N O P Q R S T U V W X Y Z	
Frequency 1 2 4 2 1 2 2 1 2 2 1 1 1	
Replacement H X E B S I Y M O N T P F A L G U K R D Z J V C Q W	

Figure 1 - Aristocrat Encrypt Tool

3.

23.b. For the Spanish Xenocrypt http://toebes.com/Ciphers/AristocratSpanishEncrypt.html 1. Pick a Spanish phrase which primarily consists of words which a second-year Spanish class would cover. Phrases which have both la and las present are good choices as well as phrases which contain y or Spanish words which are substantially like their English equivalent words are also good. Although it isn't strictly necessary, try to avoid phrases which depend on accented characters. As with the approach for the English Aristocrats, pay attention to the frequency of letters. You can use the Spanish frequency check tool to verify the difficulty.

Е	A	0	SNR	ΙL	DTUC	MP	BHQ	YVGÓÍ	FJZÁÉÑXÚKWÜ
13%	12%	8%	7%	6%	5%	3%	2%	1%	-

Encode using the Spanish Aristocrat encoder at https://toebes.com/codebusters/AristocratSpanishEncrypt.html?cipherType=aristocrat. If the encoded string uses both N and Ñ, you will probably want to re-encode until you don't get them both to avoid confusion on the part of the teams. Although you can also try for an encoding that doesn't use Ñ at all, it is perfectly fine to generate a question which has one.

23.c. Hill Cipher

https://toebes.com/codebusters/HillEncrypt.html

- 1. Pick a phrase to encode. As a rule of thumb for a 2x2 matrix, every pair of letters is worth 20 points. Ideally you want an odd length string to force them to use a padding Z. For a 3x3 matrix, every group of three letters is worth 25 points. Again, you want a string which is not a multiple of 3 characters long so that they must add the appropriate number of padding characters.
- 2. Pick an encoding key. For a 2x2 it is 4 characters long and for a 3x3 it is 9 characters long. This is probably the hardest part to making the test because the matrix must be invertible (https://en.wikipedia.org/wiki/Invertible_matrix). Fortunately, the tool will tell you if it is not invertible. There is also a list of known valid keys at https://toebes.com/codebusters/HillKeys.html for both the 2x2 and 3x3 encodings. In general, it is more likely to be invertible if you use the letters B, D, F, H, L, N, R, T, X and Z. as they are odd and non-prime, but you can mix in some other letters. Just make sure that the keyword is not an inappropriate phrase. A total non-sense phrase is perfectly acceptable, but it helps the style of the test if it looks like a word.
- 3. Use the tool to encode the cipher. The tool can display the math for the problem so that teams can practice and understand what may be wrong with their answers.

23.d. Vigenère Key Cipher Encoding

https://toebes.com/codebusters/VigenereEncrypt.html

- 1. Pick a phrase to encode. This question is nominally worth one point per letter, so a 50-letter phrase (not counting spaces) is ideal.
- 2. Pick a short 5- or 6-character code word. Ideally you want to have 5 different characters and avoid the letter A as it causes a letter to map to itself. If you are doing a Running-Key Cipher, then you can make a phrase as long as you like and not worry about the letter A.

23.e. Vigenère Decoding

1. Pick a code word to use to encode the phrase with. It should be 5 characters long without any repeated letters and doesn't have the letter A in it.

2. Pick a phrase to be decoded. It should be about 50 characters long - the question is nominally worth 2 points per character. It should contain one word that is 7 or 8 characters long that will be identified in the question to the team.

23.f. Misspelleedd[sic] Aristocrat

- 1. Pick a phrase/quote to encode. Ideally this should contain words which have homophones available. The phrase should be about 120-150 characters long as the question is worth 3 points per letter.
- 2. Use a homophone generation tool (like <u>http://homophonemachine.allaboutlearningpress.com/</u> or <u>http://evanshort.name/homophone/</u>) or even try dictating through Siri or Dragon type to get a phrase which has been slightly twisted. You may want to try a couple of times to get something that is appealing. Siri has gotten a lot smarter lately and doesn't make as many mistakes as it used to.
- 3. Encode like a normal Aristocrat using the Aristocrat tool.

23.g. Affine Cipher Basic Question

https://toebes.com/codebusters/AffineEncrypt.html

- 1. Pick a 5 or 6 letter word to encode which doesn't have the letter A in it.
- 2. Pick a value for *a* which is not coprime with 26 (1,3,5,7,9,11,15,17,19,21,23 or 25). The actual value doesn't matter, but larger ones tend to be slightly harder. If you are generating tests for multiple regions, pick numbers that are near each other. I.e., 7, 9 and 11 would be good to have as equivalent *a* values.
- 3. Pick a value for b between 1 and 25 inclusive. Unlike a where the larger values become slightly harder, the value of b can truly be any number and be the same level of difficulty.